

# **Radiative seesaw and Dark Matter**



**A two-loop Radiative seesaw  
with multi-component DM  
explaining  
the Gamma Excess  
in the Higgs Decay and at the Fermi LAT**

arXiv:

**ON JAN. 13 AT THE UNIV. OF TOYAMA**

BY JISUKE KUBO,  
KANAZAWA UNIVERSITY(KU)

IN COLLABORATION WITH  
MAYUMI AOKI  
(KU&MPI, HEIDELBERG)  
HIROSHI TAKANO(KU)

# PLAN

**I A brief review on radiative seesaw models and DM**

**II A two-loop model with two or three DM**

**III By products:**

- \* **I35 gamma-ray line at the Fermi LAT**
- \* **Enhancement of  $h \rightarrow$  two gammas**

**IV Conclusion**

# I Radiative Seesaw and DM

## Radiative Neutrino Mass Generation

(ZEE, 80; 86; WOLFENSTEIN, 80;  
BABU, 88, ETC)



## Radiative Seesaw Mechanism

(KRAUS, NASRI + TRODDEN, 02; MA, 06; AOKI, KANEMURA +  
SETO, 08; ETC)

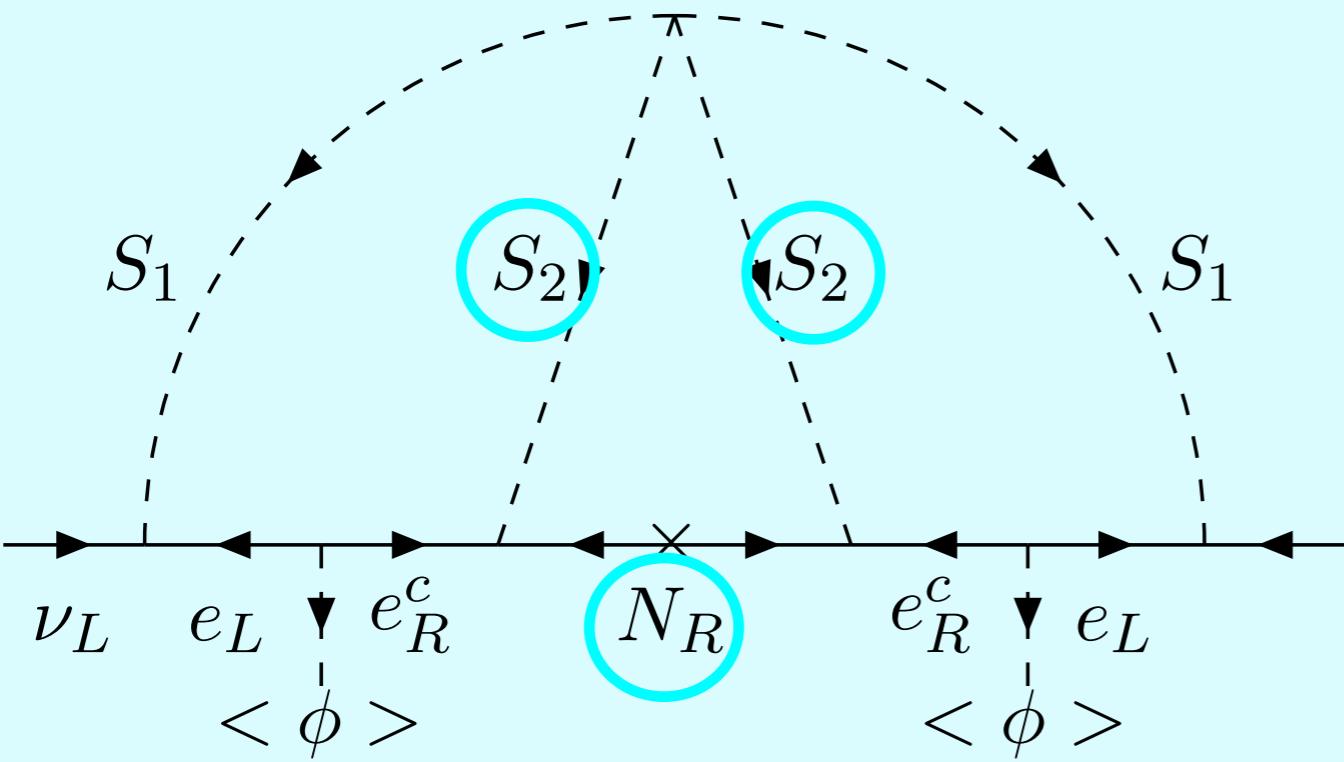
**Unbroken discrete symmetry to  
forbid the Dirac masses**



**N<sub>R</sub>, Inert Higgs, etc are DM candidates.**

# Three-loop Model

KRAUS, NASRI + TRODDEN, O2



$Z_2$ -ODD SM SINGLET

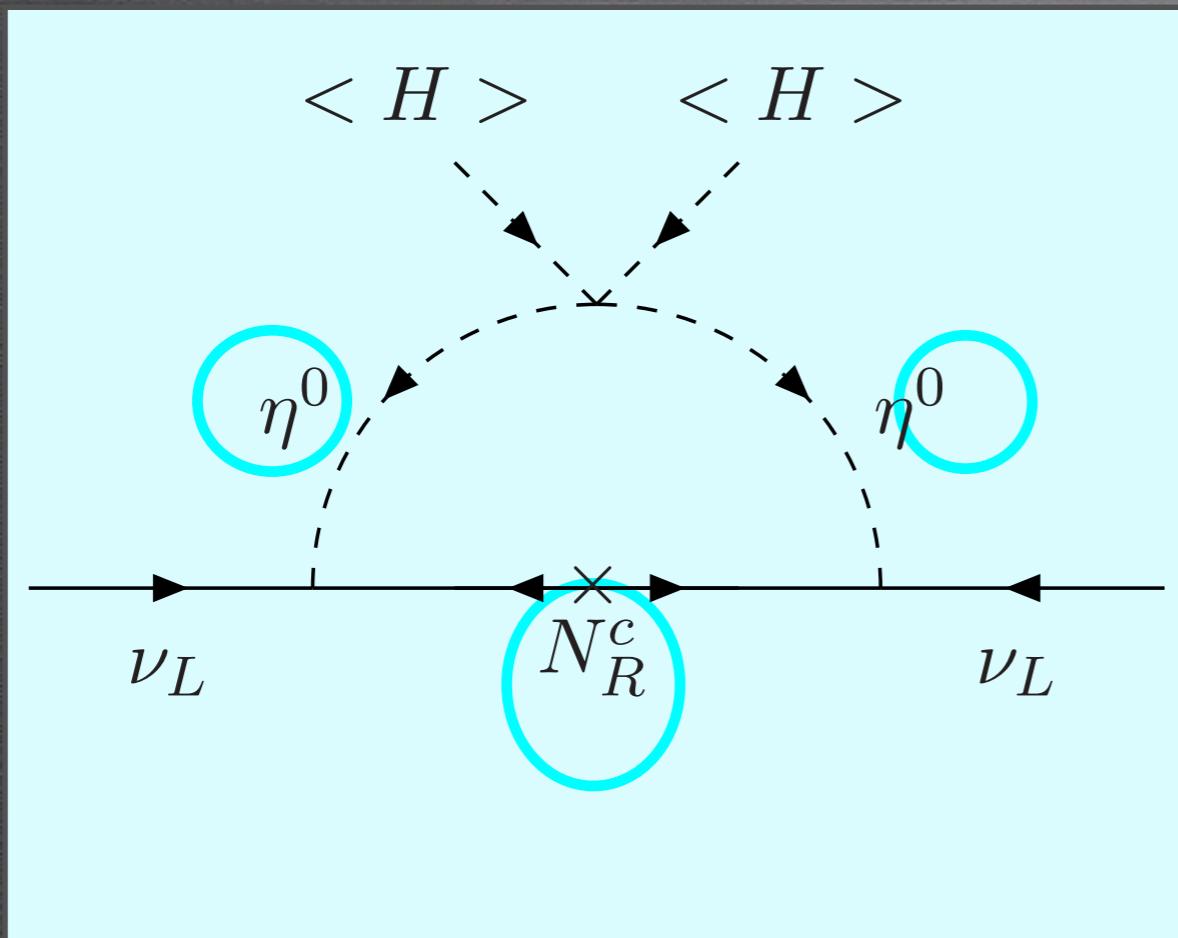
$N_R$  CAN BE DM.

$$\mathbf{m}_\nu = \begin{pmatrix} 0 & 0 \\ 0 & M \end{pmatrix} \rightarrow \begin{pmatrix} m^2/M & 0 \\ 0 & M \end{pmatrix}$$

Radiative Seesaw

# One-loop Model

MA, 06



Z2-ODD

INERT SU(2) DOUBLET  
HIGGS

$$\langle \eta \rangle = 0$$

**N<sub>R</sub> and eta are DM candidates.**

## **Eta DM studied by**

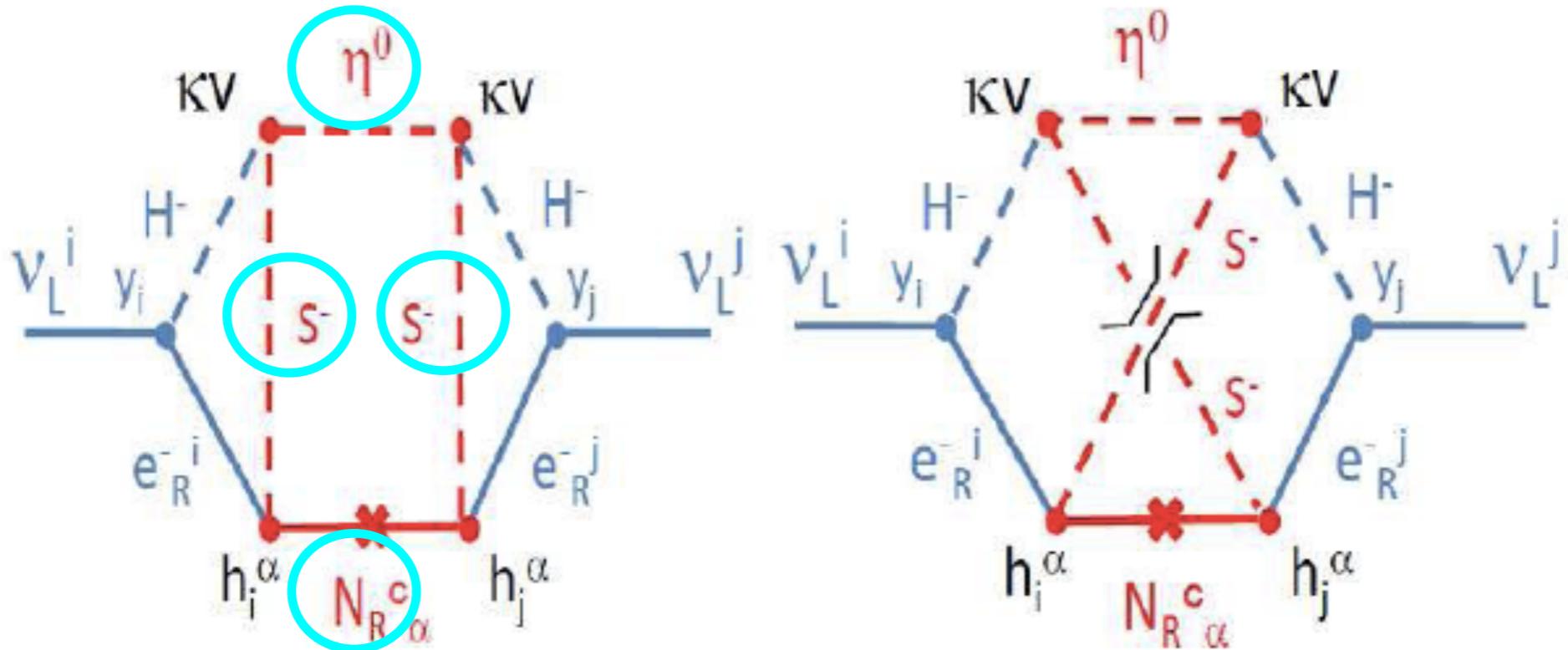
**BARBIERI, HALL + RYCHKOV, 06;  
LOPEZ, OLIVER + TYTGAT,06;  
DOLLE + SU,09 ETC**

## **Nr DM studied by**

**KUBO, MA + SUEMATSU, 06;  
ARISTIZABAL SIERRA, KUBO, RESTREPO,  
SUEMATSU +ZAPATA, 08;  
GELMINI, OSOBA+ PALOMARES-RUIZ, 09, ETC**

# Three-loop Model

AOKI, KANEMURA+SETO, 08



$Z_2$  ODD

INERT SU(2) DOUBLET  
HIGGS

	$Q^i$	$u_R^i$	$d_R^i$	$L^i$	$e_R^i$	$\Phi_1$	$\Phi_2$	$S^\pm$	$\eta$	$N_R^\alpha$
$Z_2$ (exact)	+	+	+	+	+	+	+	-	-	-
$\tilde{Z}_2$ (softly broken)	+	-	-	+	+	+	-	+	-	+

$$\langle \eta \rangle = 0$$

# NON-SUSY MODELS OF RADIATIVE GENERATION OF $m_\nu$

Model	L-violating dim.	No. of loops	$\nu_R$	No. of stable DMs
[1]	3 (tri-linear scalar coupling)	1	No	0
[2, 3, 21]	3 (tri-linear scalar coupling)	2	No	0
[15]	3 (tri-linear scalar coupling)	1	No	1
[22]	3 (tri-linear scalar coupling))	2	Yes	2
[4, 5, 11]	3 (Majorana mass)	3	Yes	1
[6–9, 12, 14, 23, 24]	3 (Majorana mass)	1	Yes	1
[13]	3 ( Majorana mass)	1	Yes ( $SU(2)_L$ triplet)	1
[17]	4 (quartic scalar coupling)	1	No	1
[19]	No L-violation	1	Yes	0
[18]	Spontaneous violation	2	No	1
[20]	Sponataneos violation	2	Yes	1
[16]	Spontaneous violation	1	Yes	1
[10]	2 (scalar mass)	1	Yes	0
Our model	2 (scalar mass)	2	Yes	2 or 3

- [1] A. Zee, Phys. Lett. B **93** (1980) 389 [Erratum-ibid. B **95** (1980) 461].
- [2] A. Zee, Nucl. Phys. B **264** (1986) 99.
- [3] K. S. Babu, Phys. Lett. B **203** (1988) 132.
- [4] L. M. Krauss, S. Nasri and M. Trodden, Phys. Rev. D **67** (2003) 085002 [hep-ph/0210389].
- [5] K. Cheung and O. Seto, Phys. Rev. D **69** (2004) 113009 [hep-ph/0403003].
- [6] E. Ma, Phys. Rev. D **73** (2006) 077301 [hep-ph/0601225].
- [7] J. Kubo and D. Suematsu, Phys. Lett. B **643** (2006) 336 [hep-ph/0610006].
- [8] C. Boehm, Y. Farzan, T. Hambye, S. Palomares-Ruiz and S. Pascoli, Phys. Rev. D **77** (2008) 043516 [hep-ph/0612228].
- [9] D. Suematsu, Eur. Phys. J. C **56** (2008) 379 [arXiv:0706.2401 [hep-ph]].
- [10] N. Sahu and U. Sarkar, Phys. Rev. D **78** (2008) 115013 [arXiv:0804.2072 [hep-ph]].
- [11] M. Aoki, S. Kanemura and O. Seto, Phys. Rev. Lett. **102** (2009) 051805 [arXiv:0807.0361 [hep-ph]]; Phys. Rev. D **80** (2009) 033007 [arXiv:0904.3829 [hep-ph]].
- [12] D. Aristizabal Sierra, J. Kubo, D. Restrepo, D. Suematsu and O. Zapata, Phys. Rev. D **79** (2009) 013011 [arXiv:0808.3340 [hep-ph]].
- [13] E. Ma and D. Suematsu, Mod. Phys. Lett. A **24** (2009) 583 [arXiv:0809.0942 [hep-ph]].
- [14] D. Suematsu, T. Toma and T. Yoshida, Phys. Rev. D **82** (2010) 013012 [arXiv:1002.3225 [hep-ph]].

- [15] S. Kanemura and T. Ota, Phys. Lett. B **694** (2010) 233 [arXiv:1009.3845 [hep-ph]].
- [16] S. Kanemura, O. Seto and T. Shimomura, Phys. Rev. D **84** (2011) 016004 [arXiv:1101.5713 [hep-ph]].
- [17] M. Aoki, S. Kanemura and K. Yagyu, Phys. Lett. B **702** (2011) 355 [Erratum-ibid. B **706** (2012) 495] [arXiv:1105.2075 [hep-ph]].
- [18] M. Lindner, D. Schmidt and T. Schwetz, Phys. Lett. B **705** (2011) 324 [arXiv:1105.4626 [hep-ph]].
- [19] S. Kanemura, T. Nabeshima and H. Sugiyama, Phys. Lett. B **703** (2011) 66 [arXiv:1106.2480 [hep-ph]].
- [20] S. Kanemura, T. Nabeshima and H. Sugiyama, Phys. Rev. D **85** (2012) 033004 [arXiv:1111.0599 [hep-ph]].
- [21] K. S. Babu and J. Julio, Phys. Rev. D **85** (2012) 073005 [arXiv:1112.5452 [hep-ph]].
- [22] S. S. C. Law and K. L. McDonald, Phys. Lett. B **713** (2012) 490 [arXiv:1204.2529 [hep-ph]].
- [23] Y. Farzan and E. Ma, Phys. Rev. D **86** (2012) 033007 [arXiv:1204.4890 [hep-ph]].
- [24] S. Kashiwase and D. Suematsu, arXiv:1301.2087 [hep-ph].

## II THE MODEL

Model	L-violating dim.	No. of loops	$\nu_R$	No. of stable DMs
Our model	2 (scalar mass)	2	Yes	<b>2 or 3</b>

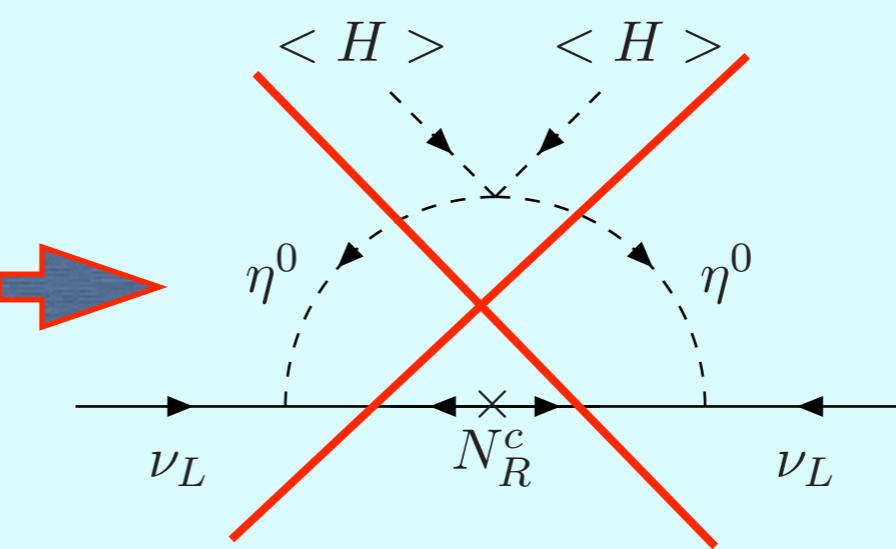
field	statistics	$SU(2)_L$	$U(1)_Y$	L	$Z_2$	$Z'_2$	$D_{2N}$
$(\nu_L, l)$	F	2	-1/2	1	+	+	<b>1</b>
$l^c$	F	1	1	1	+	+	<b>1</b>
$N_R^c$	F	1	1	0	-	+	<b>1''</b>
$H = (H^+, H^0)$	B	2	1/2	0	+	+	<b>1</b>
$\eta = (\eta^+, \eta^0)$	B	2	1/2	-1	-	+	<b>1''</b>
$\chi$	B	1	0	0	+	-	<b>1'</b>
$\phi$	B	1	0	1	-	-	<b>1'''</b>

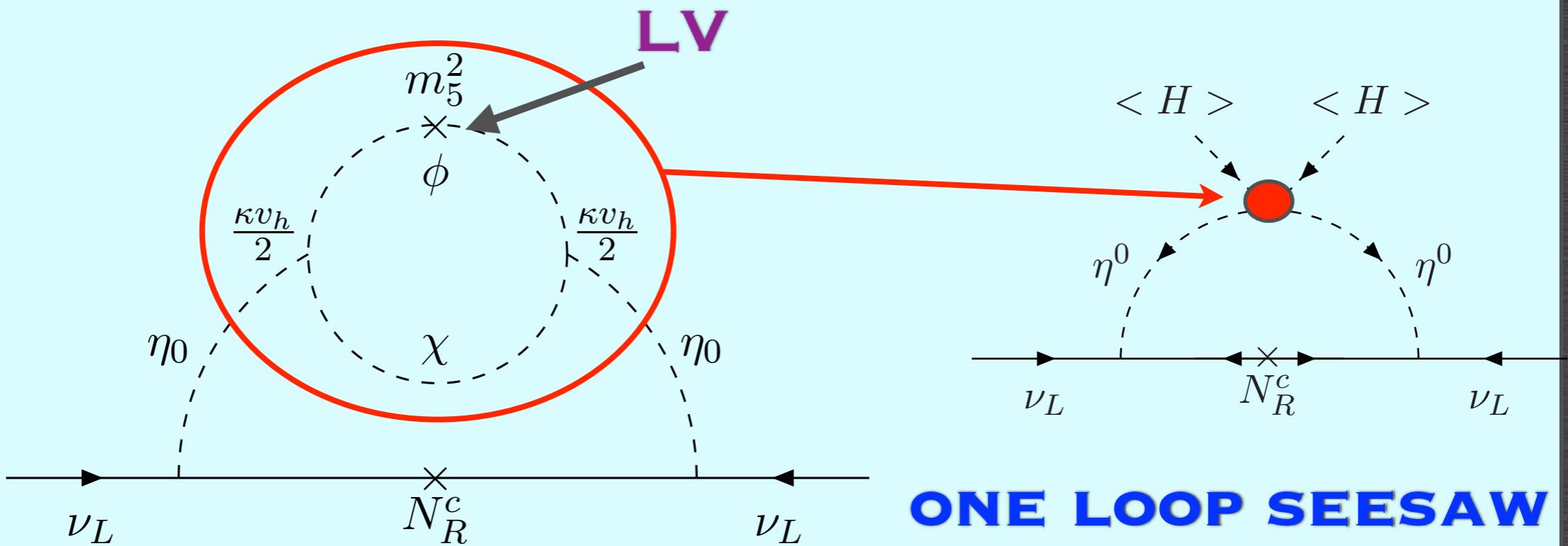
MA

### MATTER CONTENT (MINIMAL EXTENSION)

NO

“ $\lambda_5$  term”,  $(1/2)\lambda_5(H^\dagger\eta)^2$





$$m_\nu \sim \left( \frac{\kappa}{16\pi^2} \right)^2 \frac{m_D^2}{M_R} \sim 10^{-7} \frac{m_D^2}{M_R} \text{ for } \kappa = 0.1$$

$M_R \sim 1 \text{ TeV IS A NATURAL SCALE.}$

## THE $Z_2 \times Z_2 \times L$ INVARIANT QUARTIC COUPLINGS

$$\begin{aligned} V_\lambda = & \lambda_1(H^\dagger H)^2 + \lambda_2(\eta^\dagger \eta)^2 + \lambda_3(H^\dagger H)(\eta^\dagger \eta) + \lambda_4(H^\dagger \eta)(\eta^\dagger H) \\ & + \frac{1}{4}\gamma_1\chi^4 + \gamma_2(H^\dagger H)\chi^2 + \gamma_3(\eta^\dagger \eta)\chi^2 + \gamma_4|\phi|^4 + \gamma_5(H^\dagger H)|\phi|^2 \\ & + \gamma_6(\eta^\dagger \eta)|\phi|^2 + \gamma_7\chi^2|\phi|^2 + \frac{\kappa}{2}[(H^\dagger \eta)\chi\phi + h.c.] . \end{aligned}$$

## THE $Z_2 \times Z_2$ INVARIANT SCALAR MASS TERMS

$$V_m = m_1^2 H^\dagger H + m_2^2 \eta^\dagger \eta + \frac{1}{2}m_3^2 \chi^2 + m_4^2 |\phi|^2 + \frac{1}{2}m_5^2 [\phi^2 + (\phi^*)^2]$$

BREAKS L.

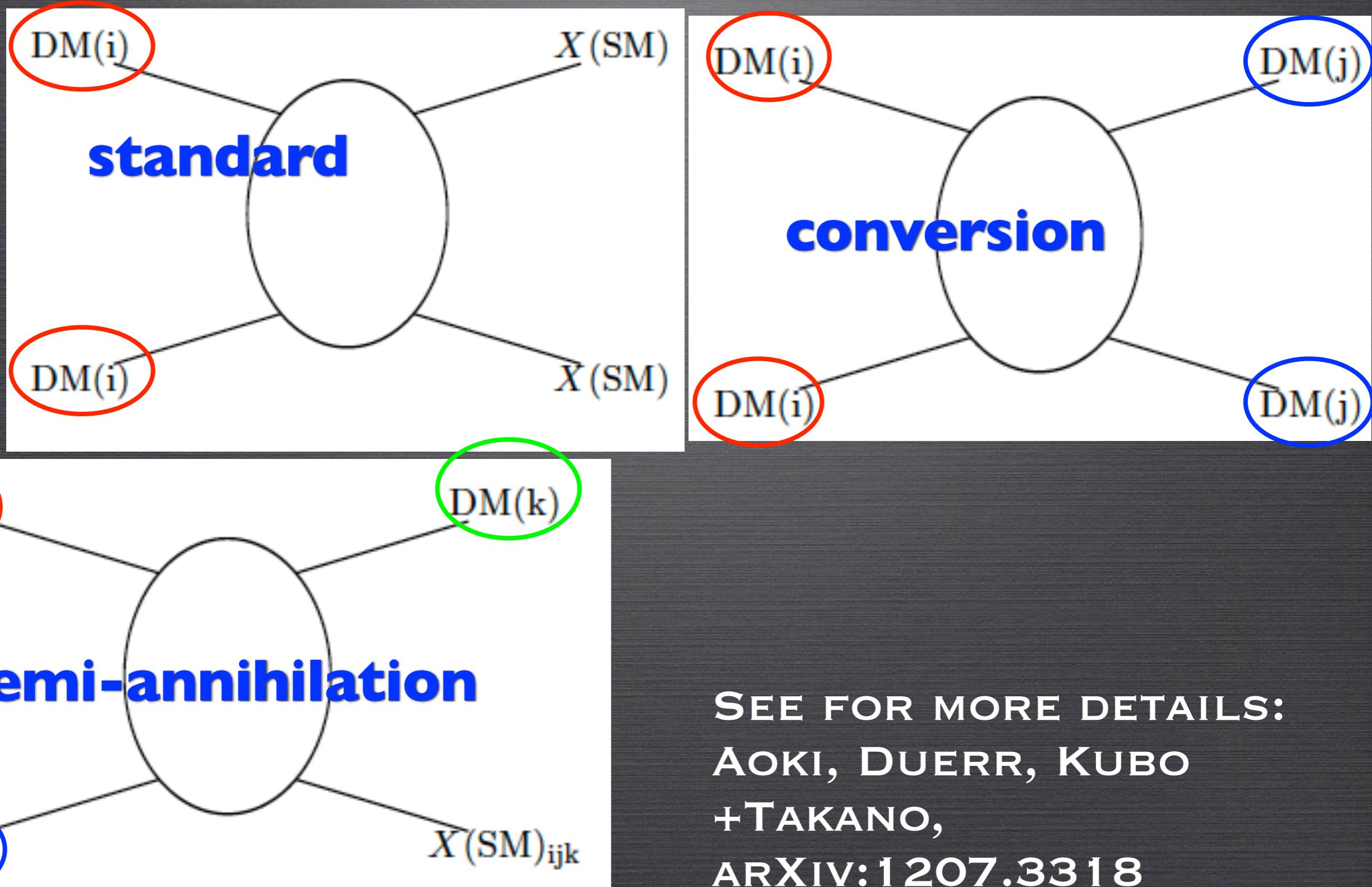
## COLD DARK MATTER CANDIDATES

field	statistics	$SU(2)_L$	$U(1)_Y$	L	$Z_2$	$Z'_2$	$D_{2N}$
$(\nu_L, l)$	F	2	-1/2	1	+	+	1
$l^c$	F	1	1	1	+	+	1
$N_R^c$	F	1	1	0	-	+	$1''$
$H = (H^+, H^0)$	B	2	1/2	0	+	+	1
$\eta = (\eta^+, \eta^0)$	B	2	1/2	-1	-	+	$1''$
$\chi$	B	1	0	0	+	-	$1'$
$\phi$	B	1	0	1	-	-	$1'''$

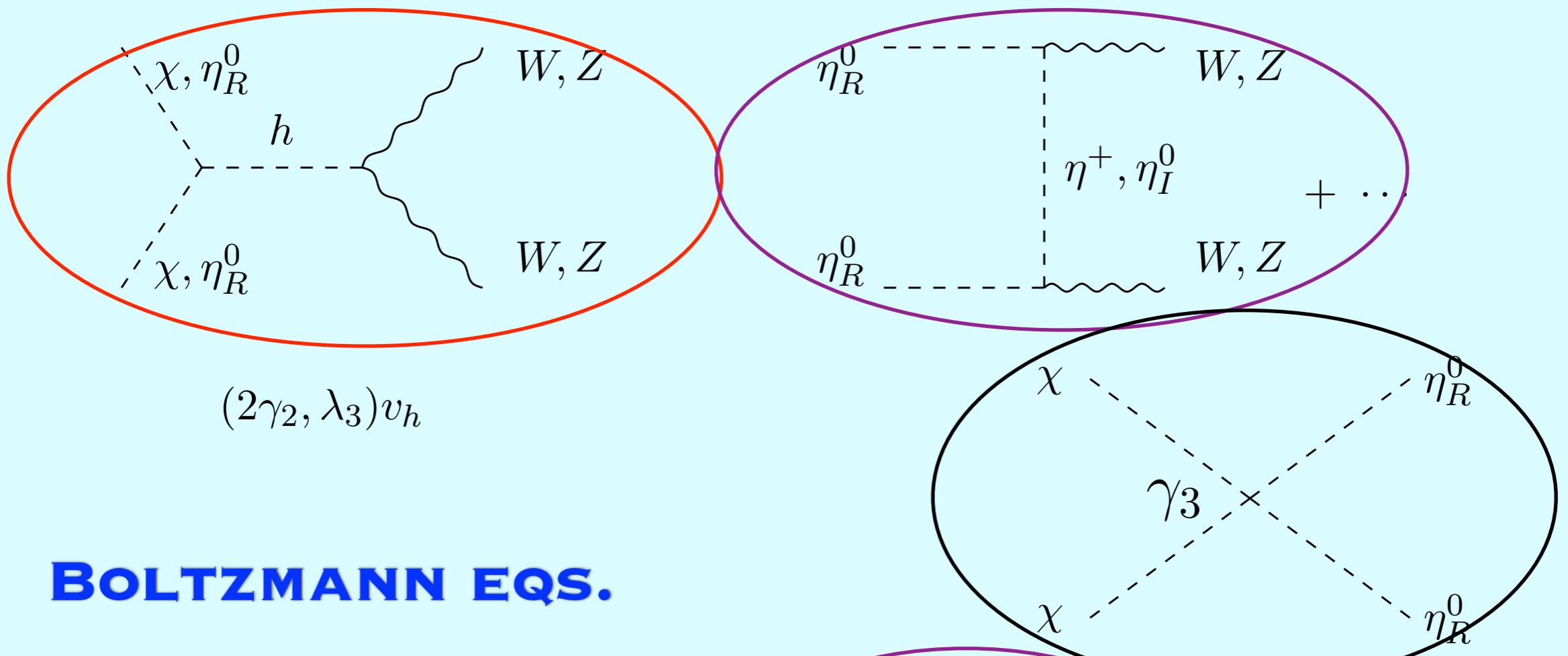
# OF DMs=3:  $(\eta, \chi, \phi)$  OR  $(N_R^c, \chi, \phi)$

# OF DMs=2:  $(\eta, \chi)$  OR  $(\chi, \phi)$  ETC

# Non-standard annihilations and relic abundance



# $\eta - \chi$ DM SYSTEM

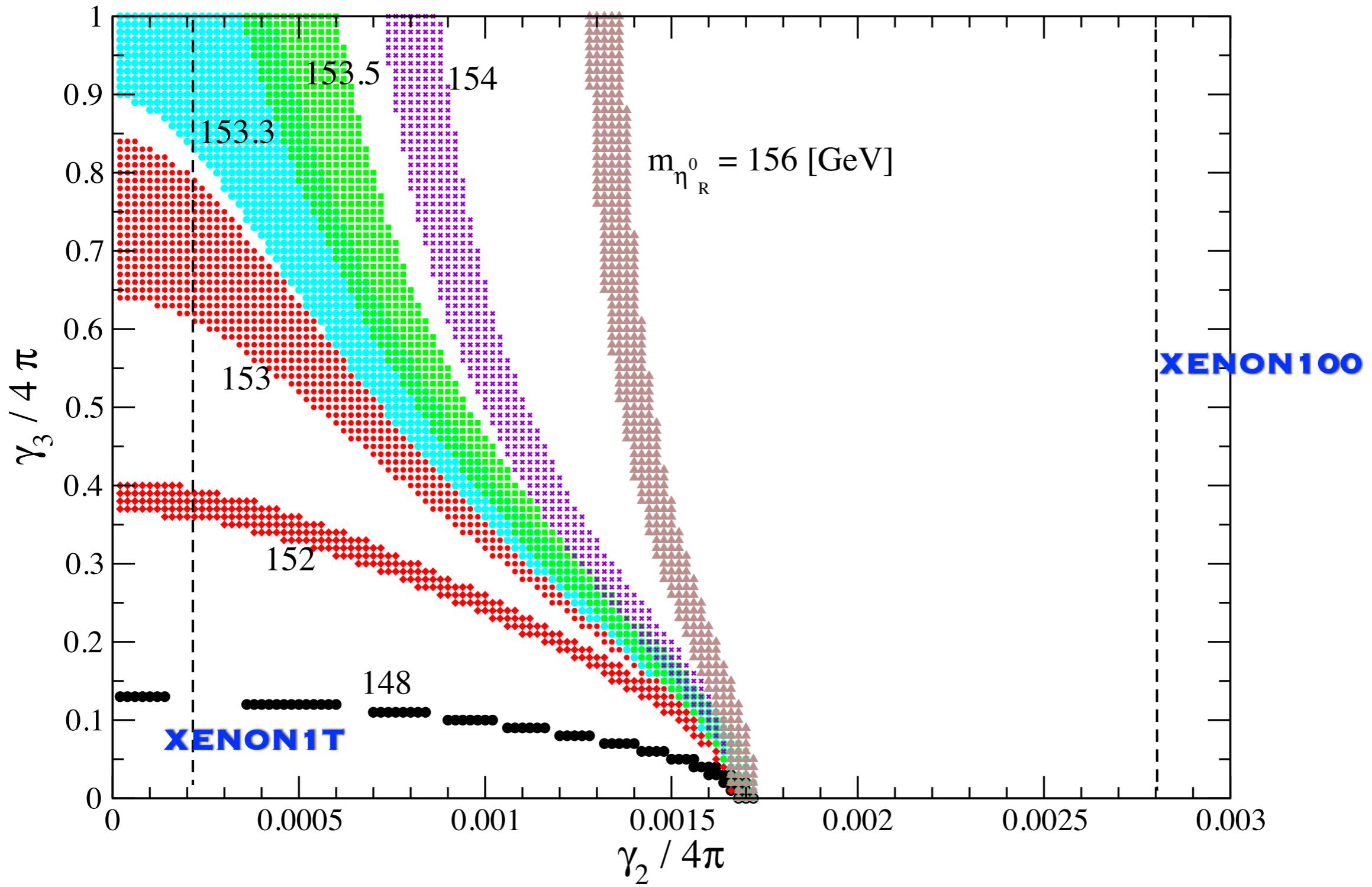


## BOLTZMANN EQS.

$$\frac{dY_{\eta_R^0}}{dx} = -0.264 g_*^{1/2} \left[ \frac{\mu M_{\text{PL}}}{x^2} \right] \left\{ \langle \sigma(\eta_R^0 \eta_R^0; \text{SM}) v \rangle \left( Y_{\eta_R^0} Y_{\eta_R^0} - \bar{Y}_{\eta_R^0} \bar{Y}_{\eta_R^0} \right) \right. \\ \left. + \langle \sigma(\eta_R^0 \eta_R^0; \chi \chi) v \rangle \left( Y_{\eta_R^0} Y_{\eta_R^0} - \frac{Y_\chi Y_\chi}{\bar{Y}_\chi \bar{Y}_\chi} \bar{Y}_{\eta_R^0} \bar{Y}_{\eta_R^0} \right) \right\},$$

$$\frac{dY_\chi}{dx} = -0.264 g_*^{1/2} \left[ \frac{\mu M_{\text{PL}}}{x^2} \right] \left\{ \langle \sigma(\chi \chi; \text{SM}) v \rangle \left( Y_\chi Y_\chi - \bar{Y}_\chi \bar{Y}_\chi \right) \right. \\ \left. + \langle \sigma(\eta_R^0 \eta_R^0; \chi \chi) v \rangle \left( Y_{\eta_R^0} Y_{\eta_R^0} - \frac{Y_\chi Y_\chi}{\bar{Y}_\chi \bar{Y}_\chi} \bar{Y}_{\eta_R^0} \bar{Y}_{\eta_R^0} \right) \right\},$$

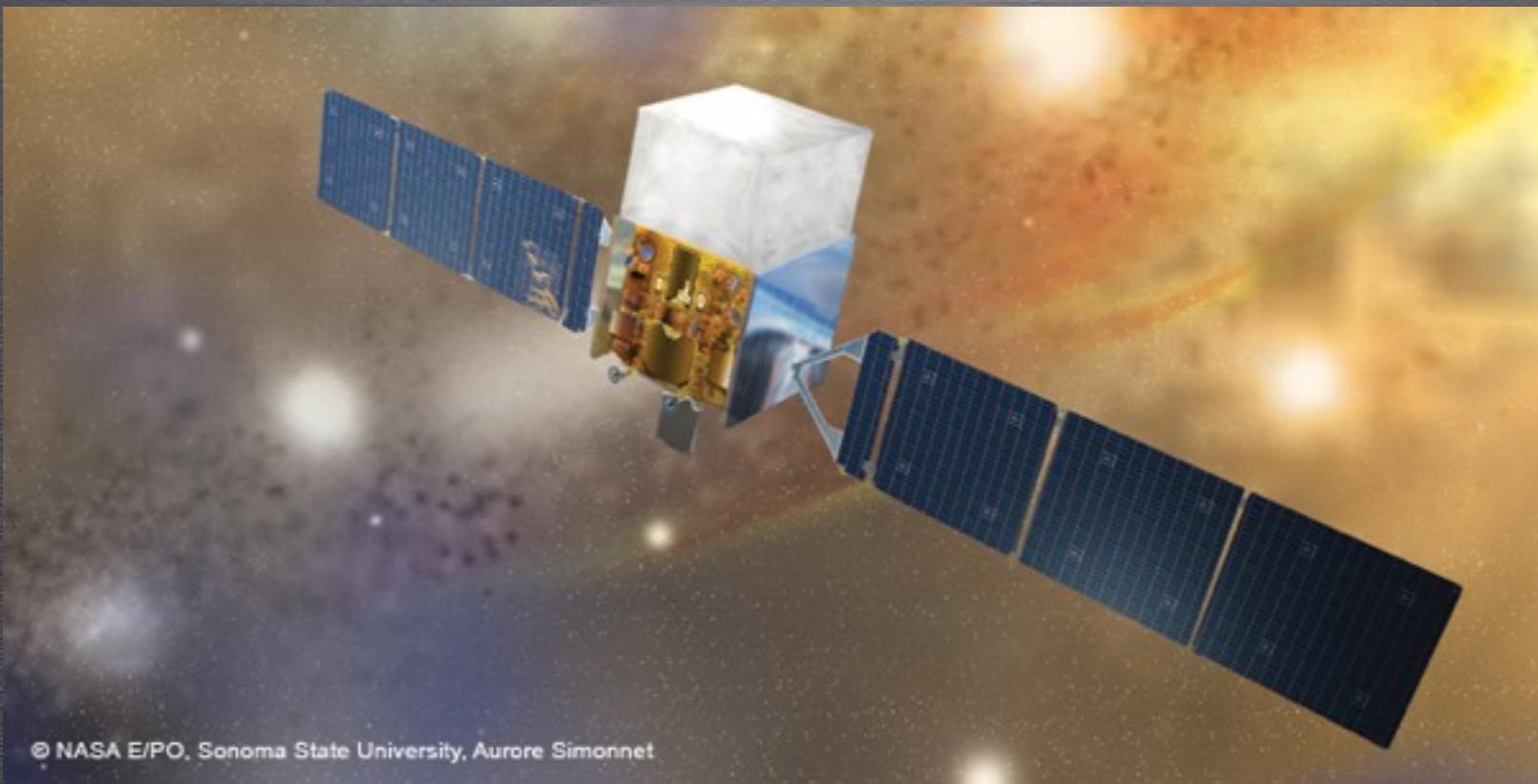
$$\Omega_T h^2 (\simeq \Omega_\chi h^2) = 0.1157 \pm 0.0046 \text{ (2}\sigma\text{)} \quad \mathbf{WITH} \quad m_\chi = 135 \text{ GeV}$$



$$\lambda_1 = 0.129, \lambda_3 = -1.26, \lambda_4 = -0.0205$$

### III BONUS

\* THE FIRST BONUS:  
**FERMI-LAT 135 GEV GAMMA-RAY LINE**

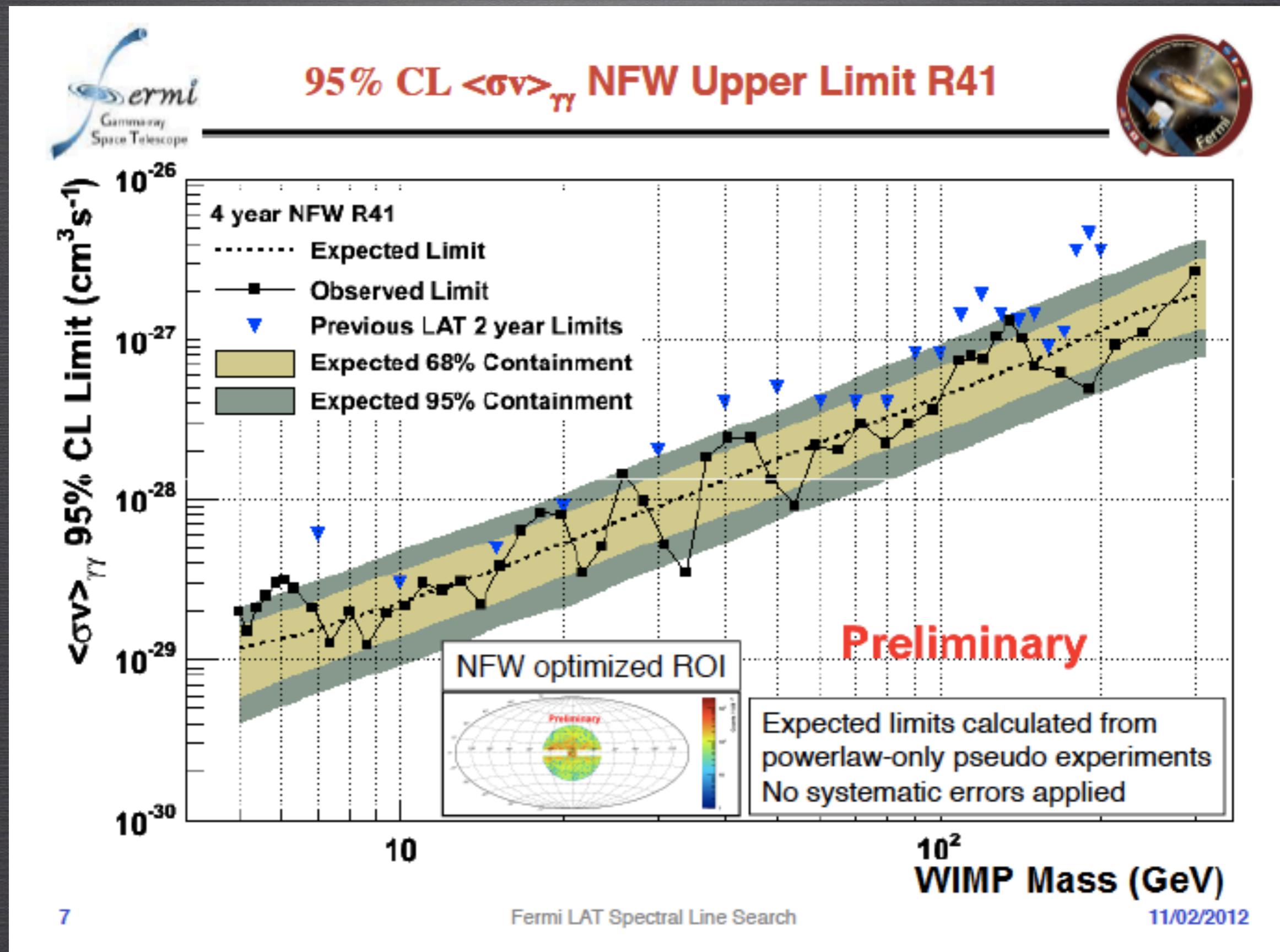


© NASA E/PO, Sonoma State University, Aurore Simonnet

FERMI-LAT IS MEASURING GAMMA RAYS COMING  
FROM THE UNIVERSE SINCE 2008.

LAT COLLABORATION, ARXIV:1205.2739; ETC

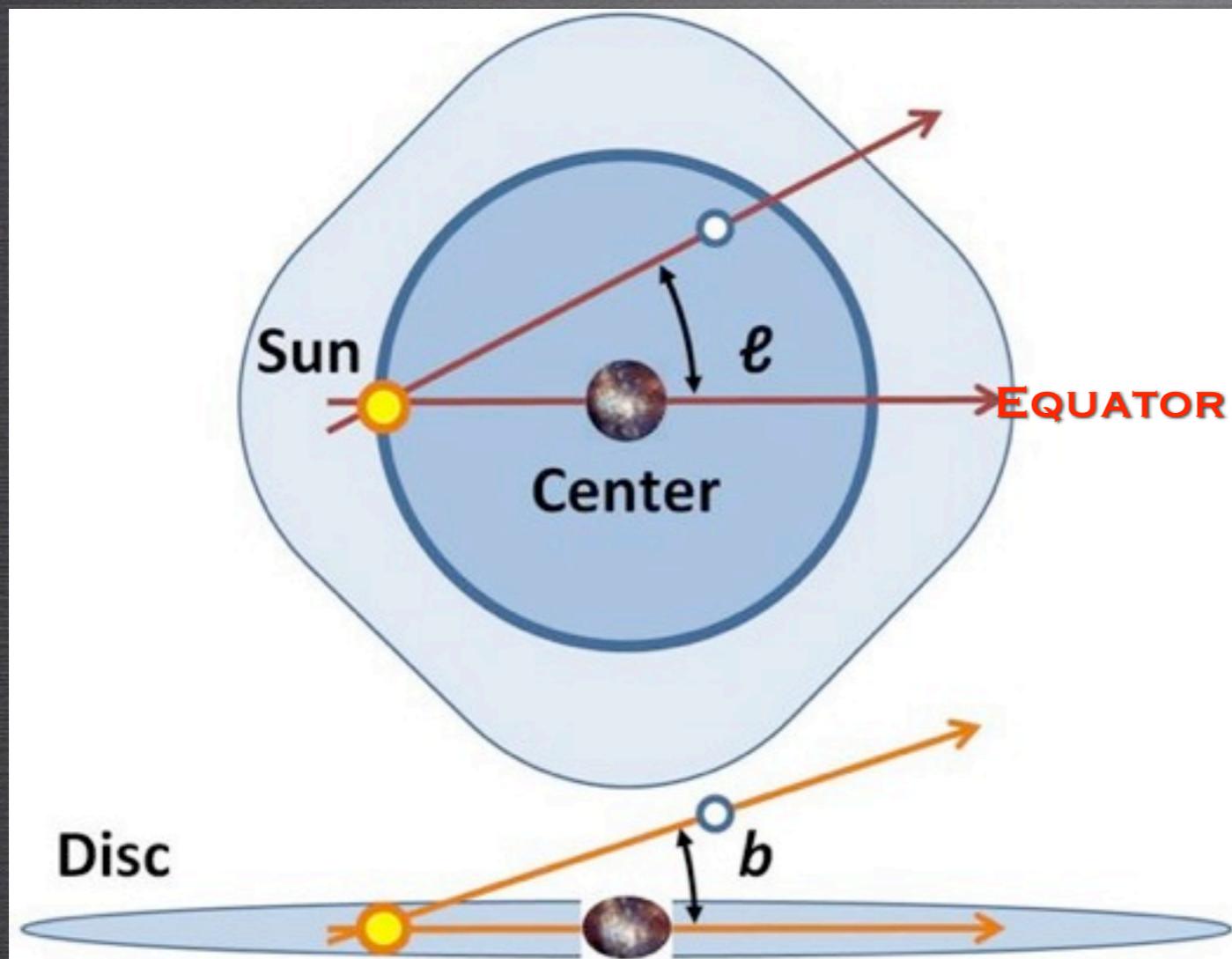
# IF THE DATA FROM THE WHOLE SKY IS INCLUDED:



HOWEVER , IF YOU LOOK AT THE CENTER OF THE GALAXY, SOMETHING MORE INTERESTING IS GOING ON.

WENIDER, ARXIV:1204.2797;

BRINGMANN ET AL,ARXIV:1203.1312; ETC

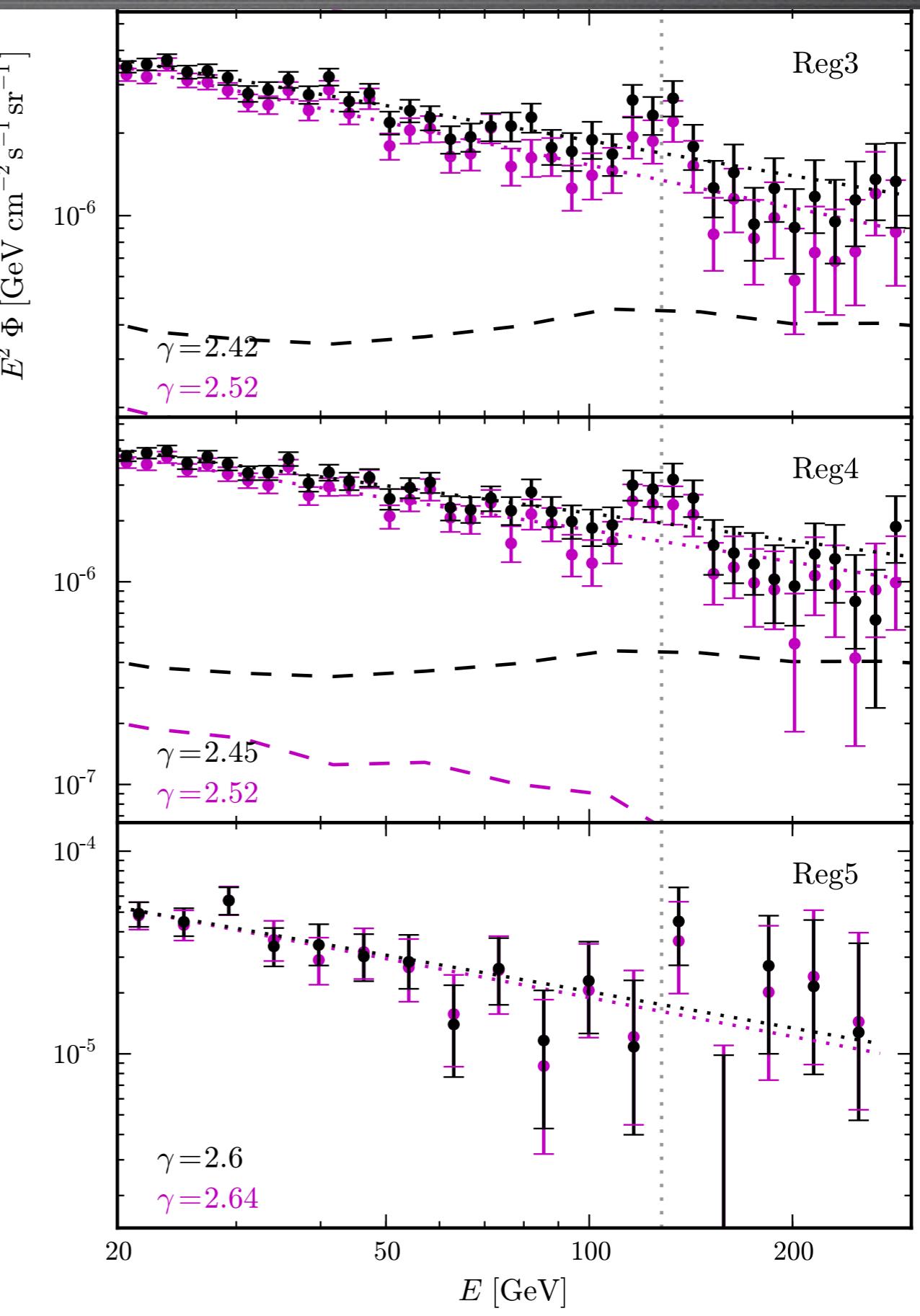
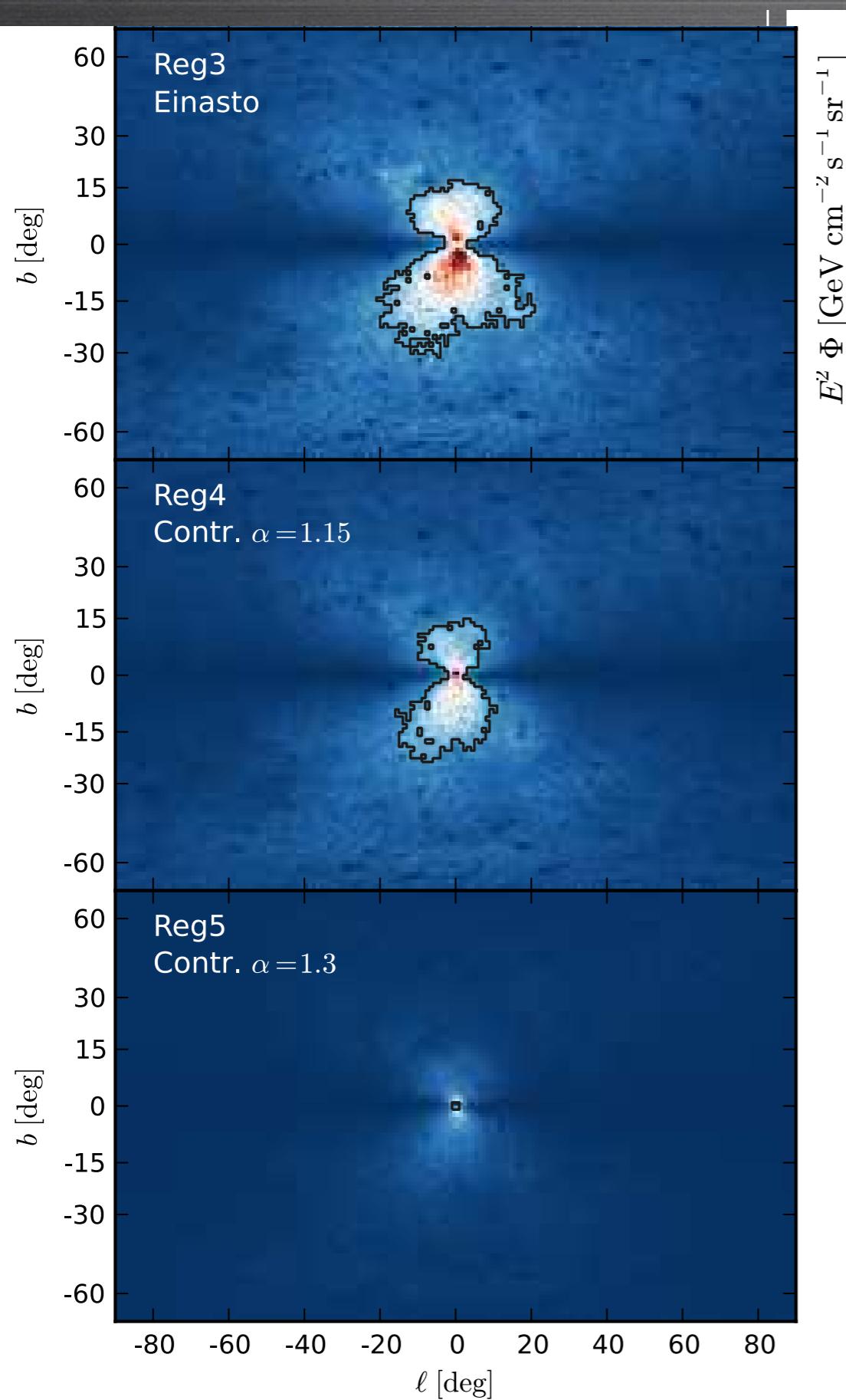


GALACTIC COORDINATES

$l$ : LONGITUDE

$b$ : LATITUDE

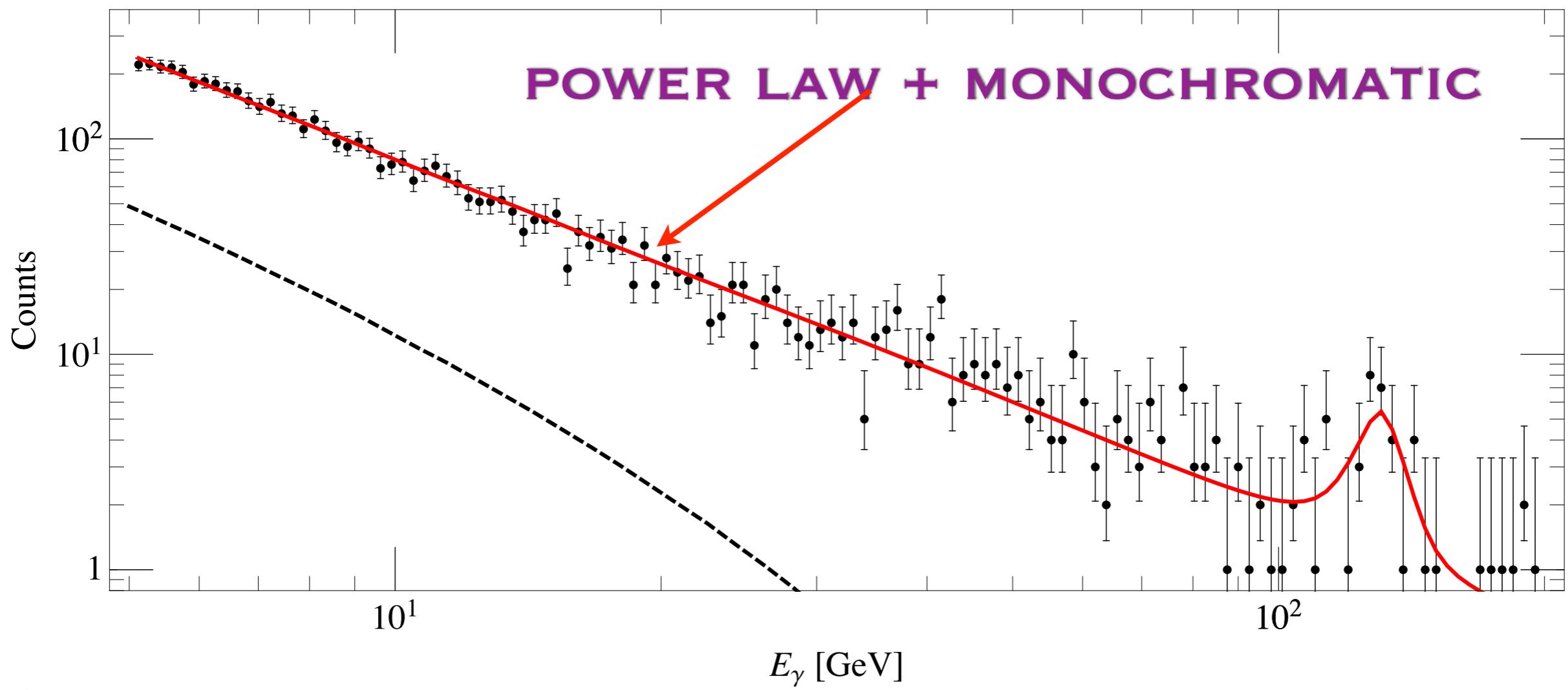
THE CENTER:  $l=b=0$



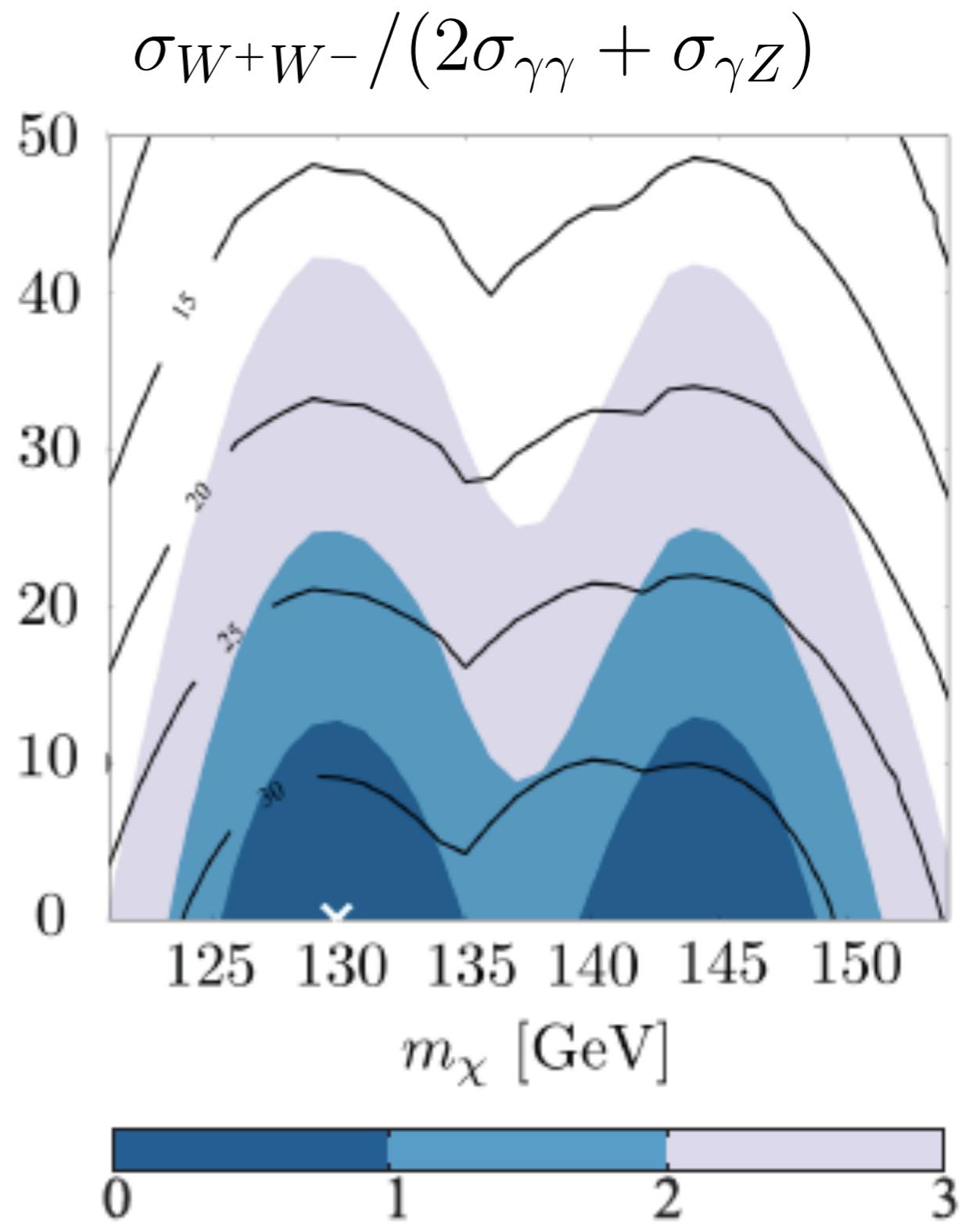
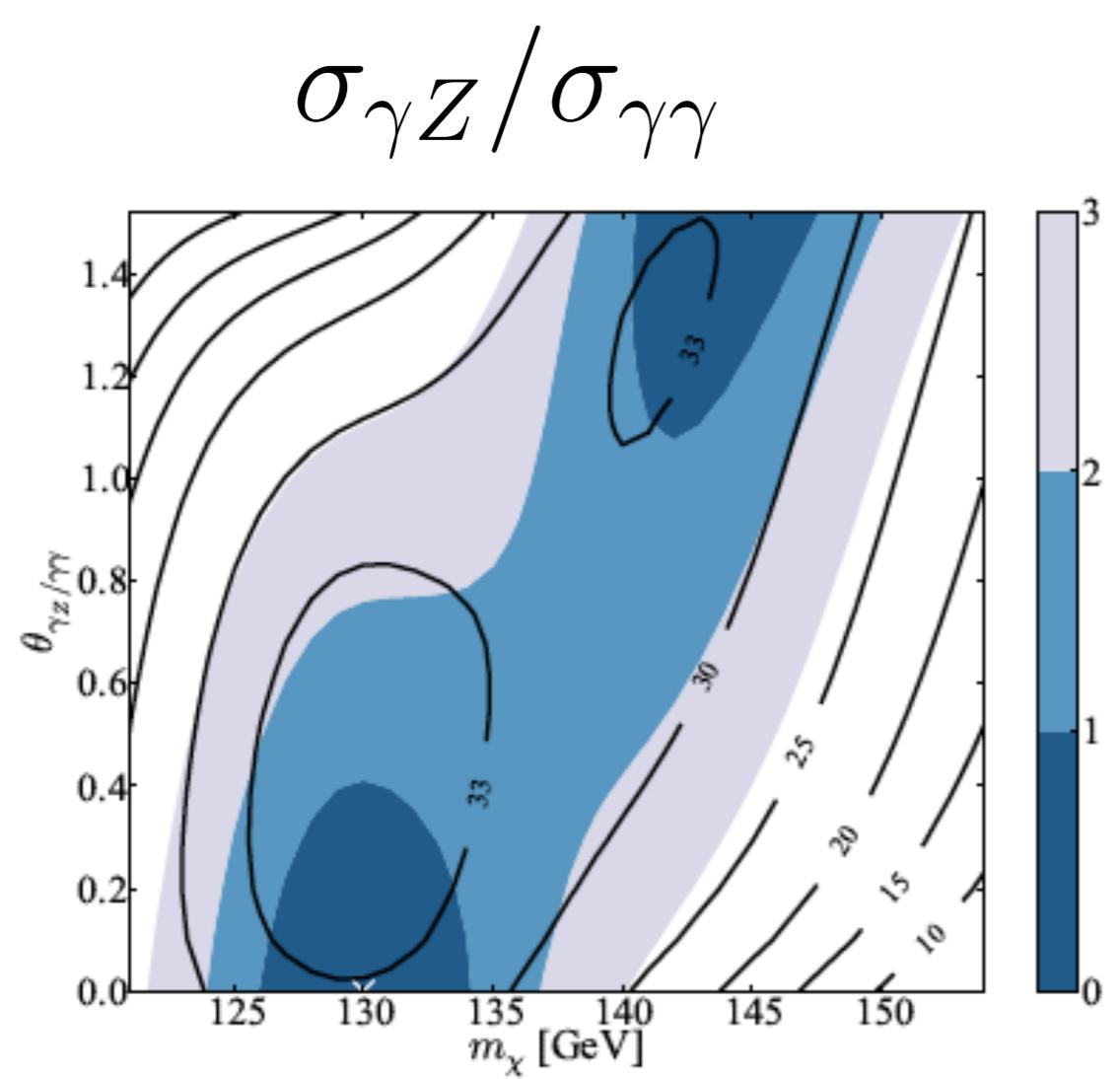
$$v\sigma_{\gamma\gamma} \simeq 10^{-27} \text{ cm}^3 \text{s}^{-1}$$

**LOOKING AT THE CENTER MORE IN DETAIL.  
(INNER 3 DEGREE RADIUS AROUND THE CENTER)**

**COHEN ET AL, ARXIV: 1207.0800**



**THE BEST FIT: NO ANNIHILATIONS INTO  $W^+W^-$  ,  $ZZ$  ,  $Z\gamma$  ETC.**



COHEN ET AL,  
ARXIV:1207.0800

# DILEMMA

- \* **MONOCHROMATIC GAMMA**

$$v\sigma_{\gamma\gamma} \simeq 10^{-27} \text{ cm}^3\text{s}^{-1} \text{ (LOOP EFFECT)}$$

- \* **CONTINUUM GAMMA**

$v\sigma(\text{DMDM} \rightarrow \text{SM})$ , i.e.  $v\sigma(\text{DMDM} \rightarrow W^+W^-)$  etc

$$\lesssim 10 \times v\sigma(\text{DMDM} \rightarrow \gamma\gamma) \sim 10^{-26} \text{ cm}^3\text{s}^{-1} \text{ (TREE LEVEL)}$$

- \* **OBSERVED RELIC DENSITY**  $\Omega_T h^2 = 0.116$

$$v\sigma(\text{DMDM}) \simeq 10^{-26} \text{ cm}^3\text{s}^{-1}$$

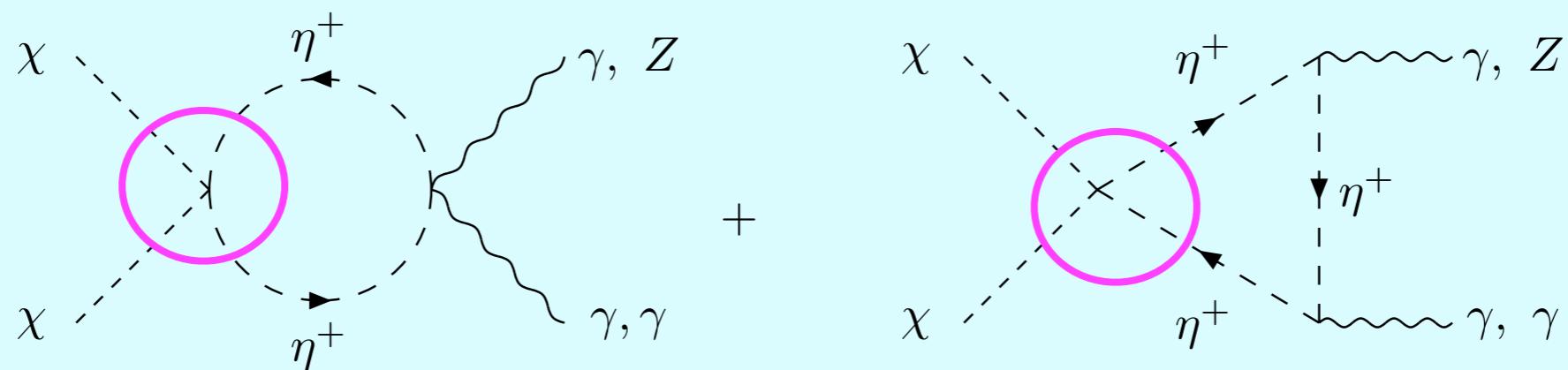
# GOOD NEWS

**ONE-LOOP ->**

$$v\sigma(\text{DM DM} \rightarrow \gamma\gamma) \sim \lambda^2 \frac{1}{\pi m_{DM}^2} \left( \frac{e^2}{16\pi^2} \right)^2 \simeq 1.2 \left( \frac{\lambda}{4\pi} \right)^2 \times 10^{-26} \text{ cm}^3 \text{s}^{-1}$$

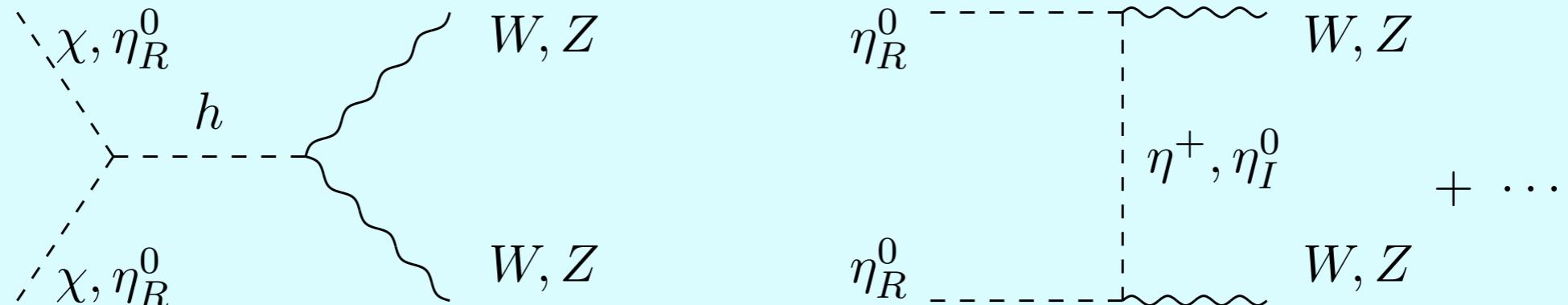
for  $m_{\text{DM}} = 135 \text{ GeV}$

**IN OUR MODEL:**



HOW TO REALIZE A LARGE  $\sigma$   
 AT THE FREEZE OUT, WHILE SUPPRESSING  $\sigma$   
 IN THE GALAXY, i.e. AT LOW TEMPERATURE.

**IN OUR MODEL:**



$$(2\gamma_2, \lambda_3)v_h$$

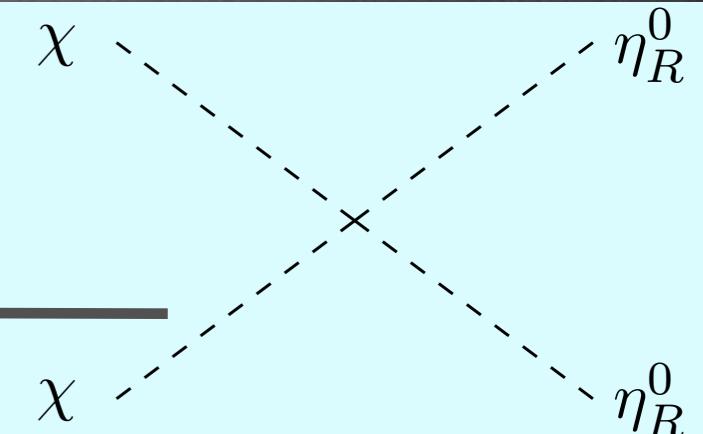
**TO MAKE THE CONTINUUM GAMMAS SMALL:**

**FOR CHI DM: SMALL  $\gamma_2$**

**FOR ETA DM: SMALL  $\Omega_\eta$**

# TEMPERATURE DEPENDENT CROSS SECTION:

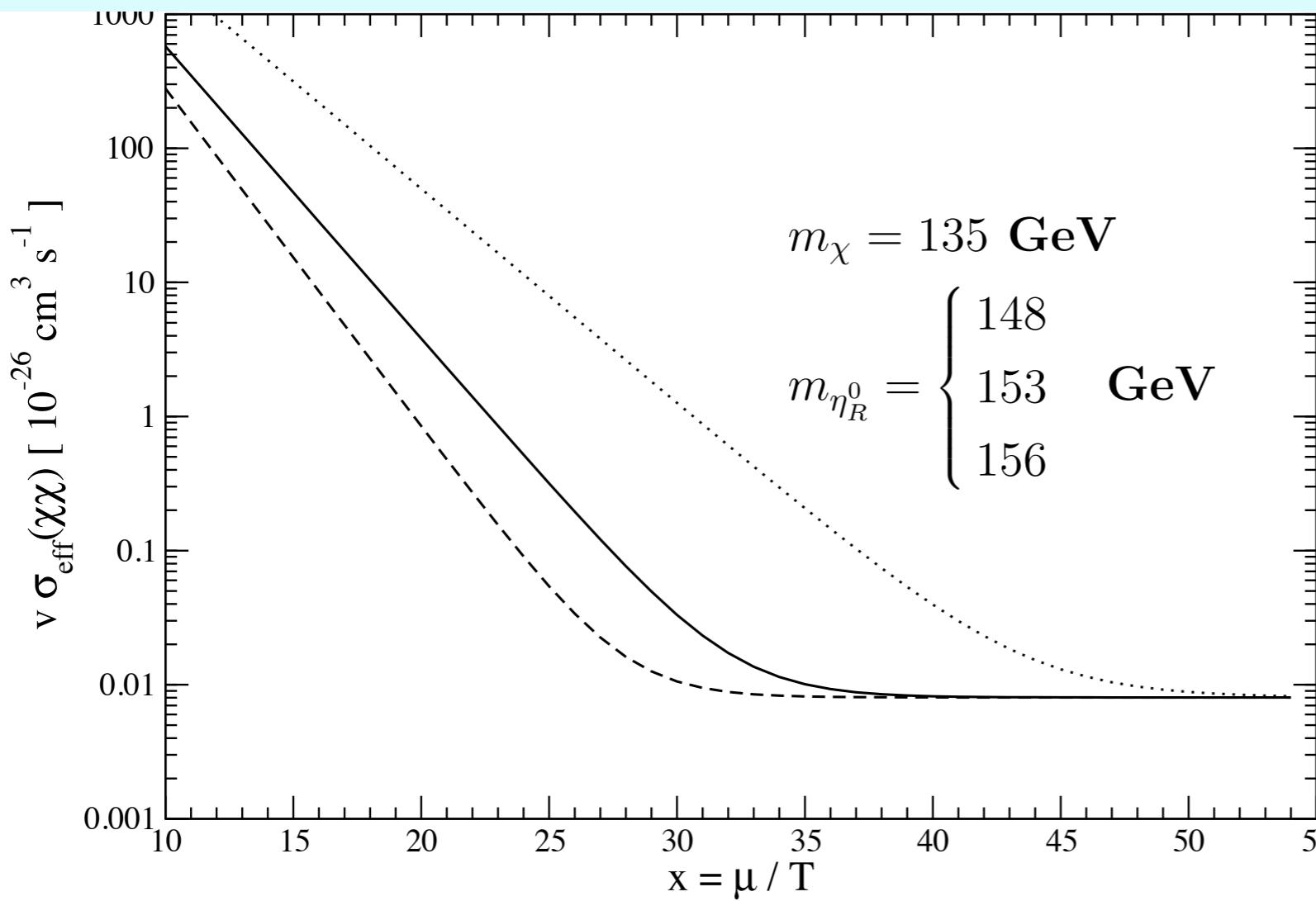
$$\frac{dY_\chi}{dx} = -0.264 g_*^{1/2} \left[ \frac{\mu M_{\text{PL}}}{x^2} \right] \left\{ <\sigma(\chi\chi; \text{SM})v> (Y_\chi Y_\chi - \bar{Y}_\chi \bar{Y}_\chi) \right. \\ \left. - <\sigma(\eta_R^0 \eta_R^0; \chi\chi)v> \left( Y_{\eta_R^0} Y_{\eta_R^0} - \bar{Y}_\chi \bar{Y}_\chi \bar{Y}_{\eta_R^0} \bar{Y}_{\eta_R^0} \right) \right\},$$



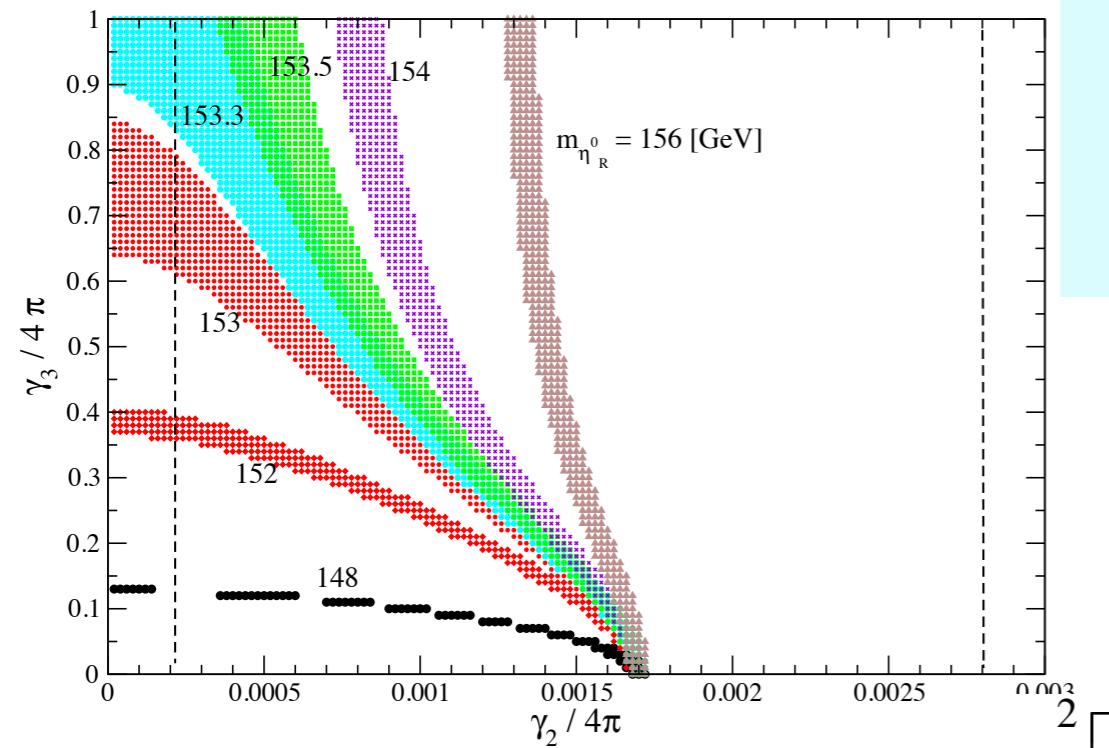
$\Sigma_{\text{eff}}$

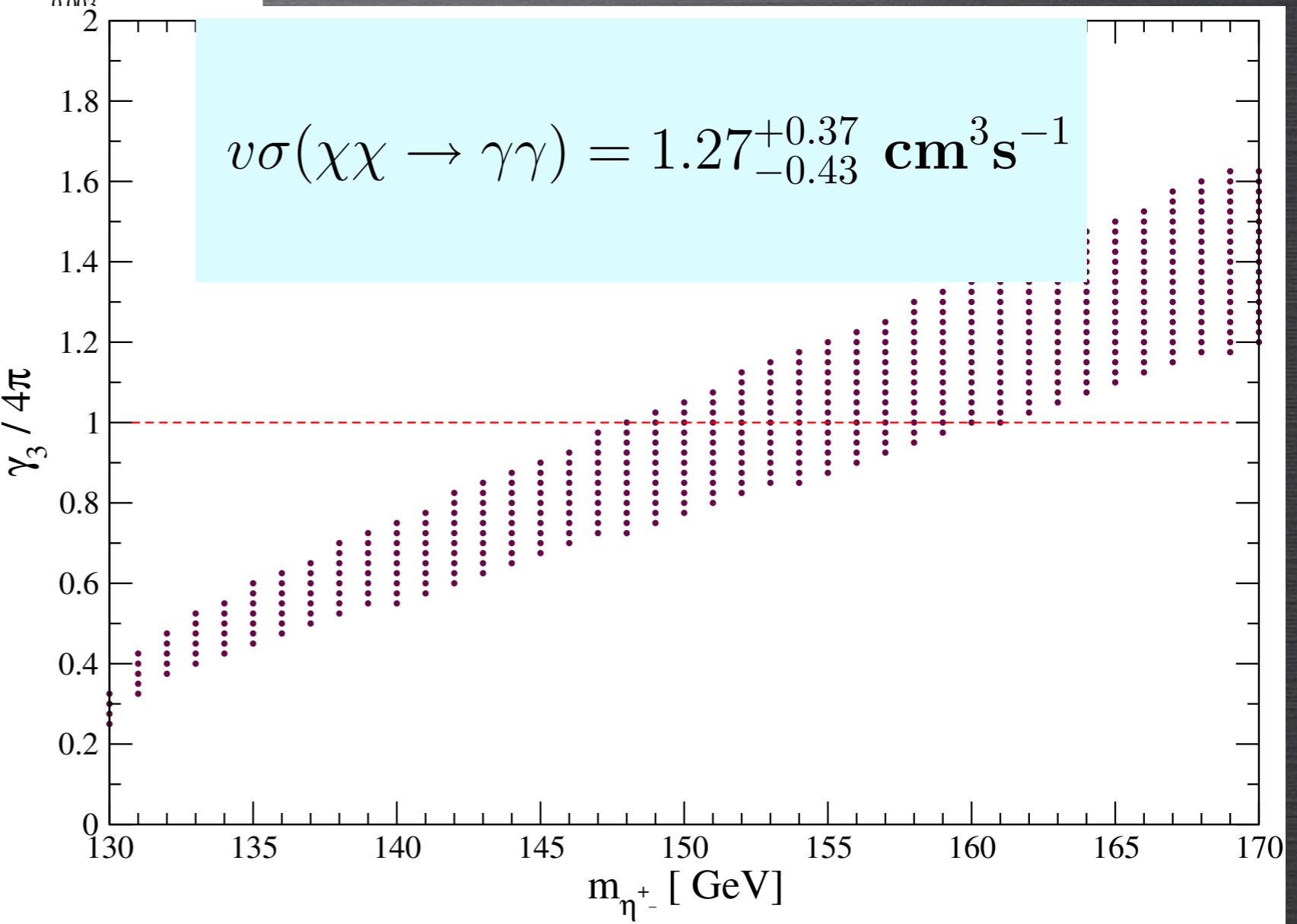
$$\left[ <\sigma(\chi\chi; \text{SM})v> + <\sigma(\eta_R^0 \eta_R^0; \chi\chi)v> \frac{m_{\eta_R^0}^3}{m_\chi^3} \exp 2\left(\frac{m_\chi^2 - m_{\eta_R^0}^2}{m_\chi m_{\eta_R^0}}\right)x \right] (Y_\chi Y_\chi - \bar{Y}_\chi \bar{Y}_\chi)$$

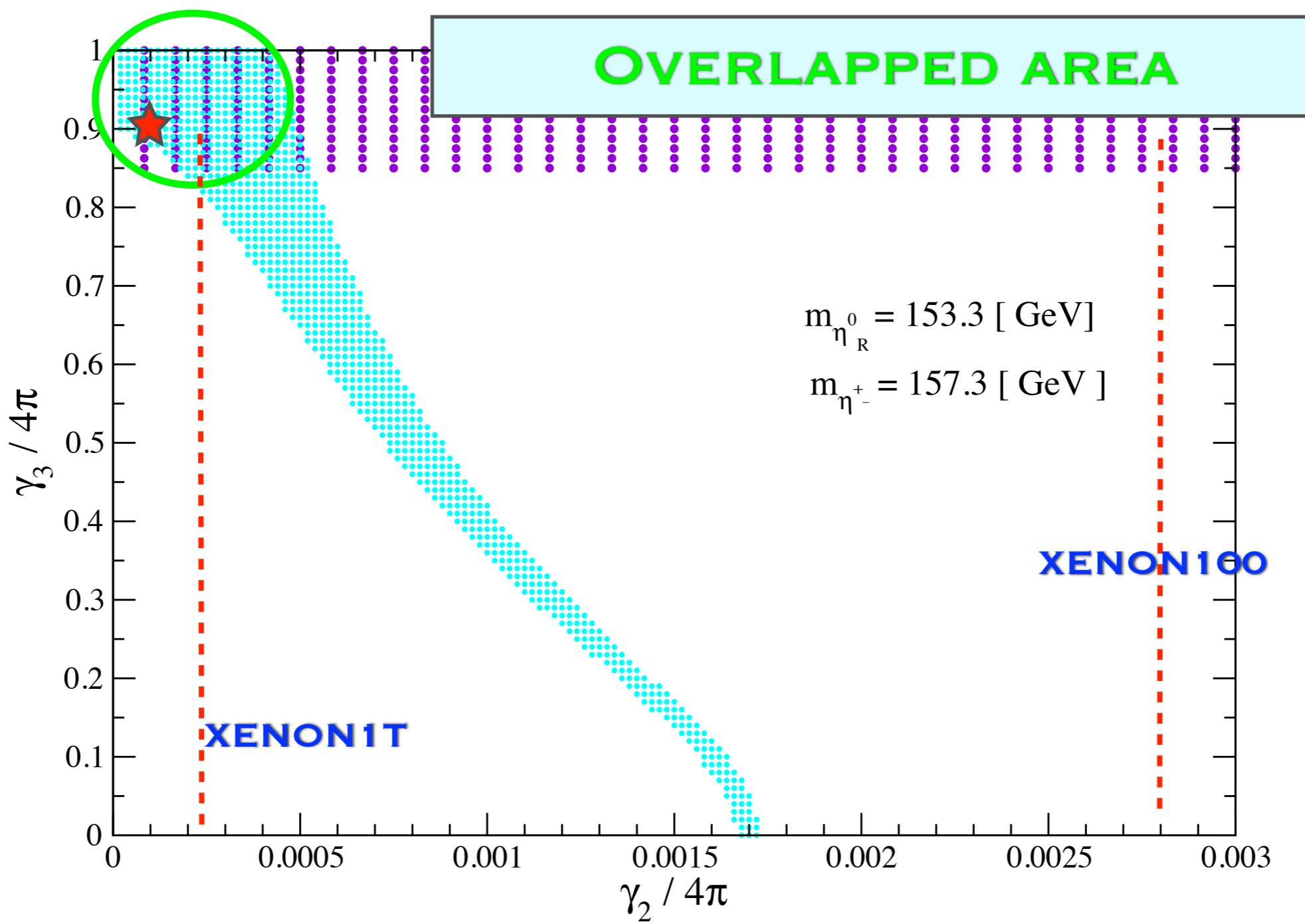
**DM CONVERSION**



**SEE ALSO:**  
**BAEK, KO+SENAHA,**  
**ARXIV:1209.1685**



$$\Omega_T = 0.1157 \pm 0.0046(2\sigma)$$




$$v\sigma(\chi\chi \rightarrow \text{SM}) \simeq 8.0 \times 10^{-29} \text{ cm}^3\text{s}^{-1}$$

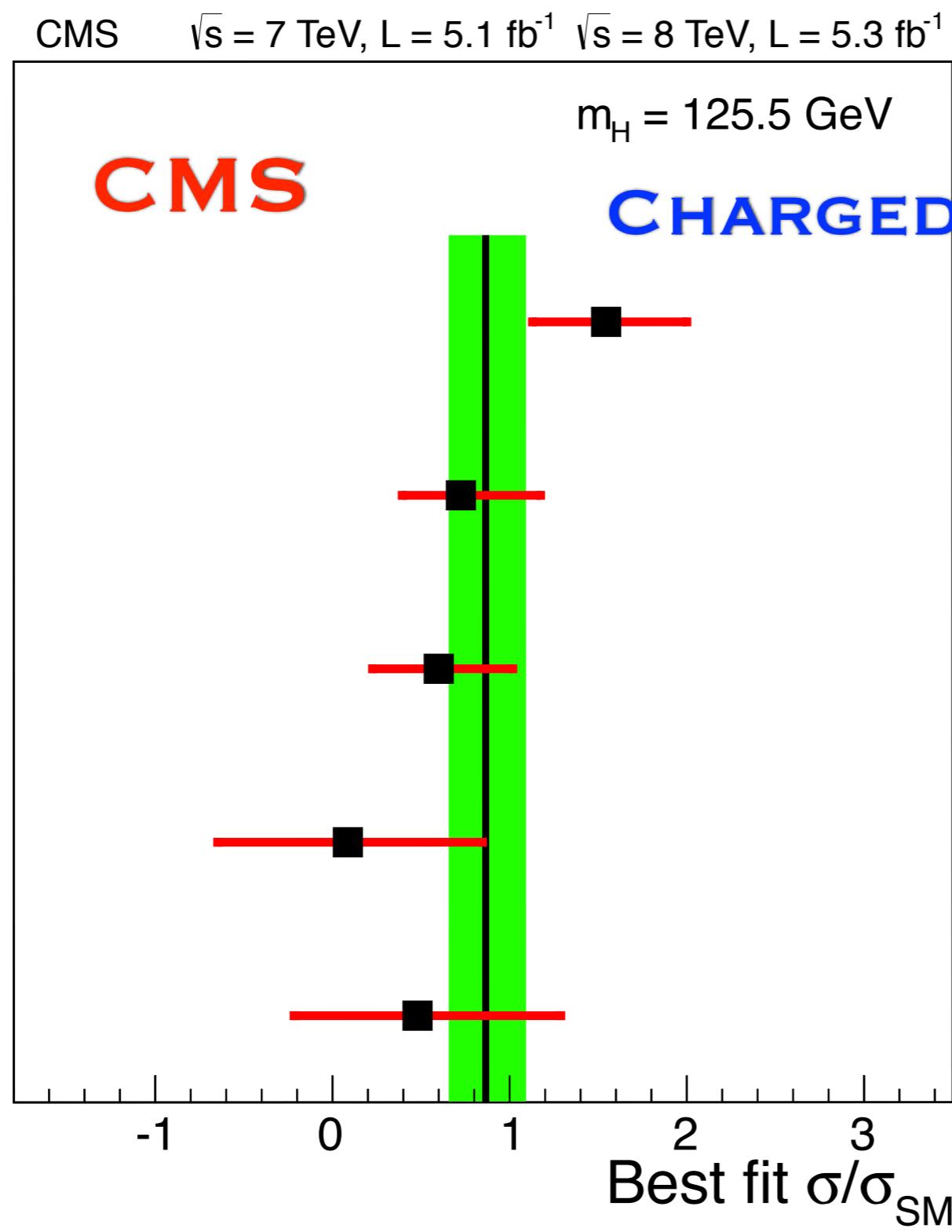
$$v\sigma(\chi\chi \rightarrow W^+W^-) \simeq 3.9 \times 10^{-29} \text{ cm}^3\text{s}^{-1}$$

★  $v\sigma(\chi\chi \rightarrow ZZ) \simeq 1.7 \times 10^{-29} \text{ cm}^3\text{s}^{-1}$

$$v\sigma(\chi\chi \rightarrow hh) \simeq 2.5 \times 10^{-29} \text{ cm}^3\text{s}^{-1}$$

$$v\sigma(\chi\chi \rightarrow f\bar{f}) \simeq 1.1 \times 10^{-31} \text{ cm}^3\text{s}^{-1}$$

## \* YET ANOTHER BONUS:



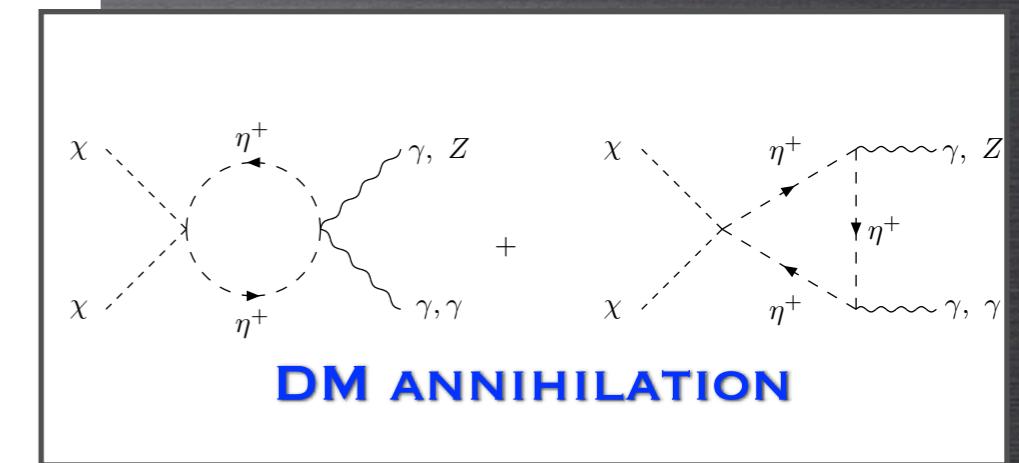
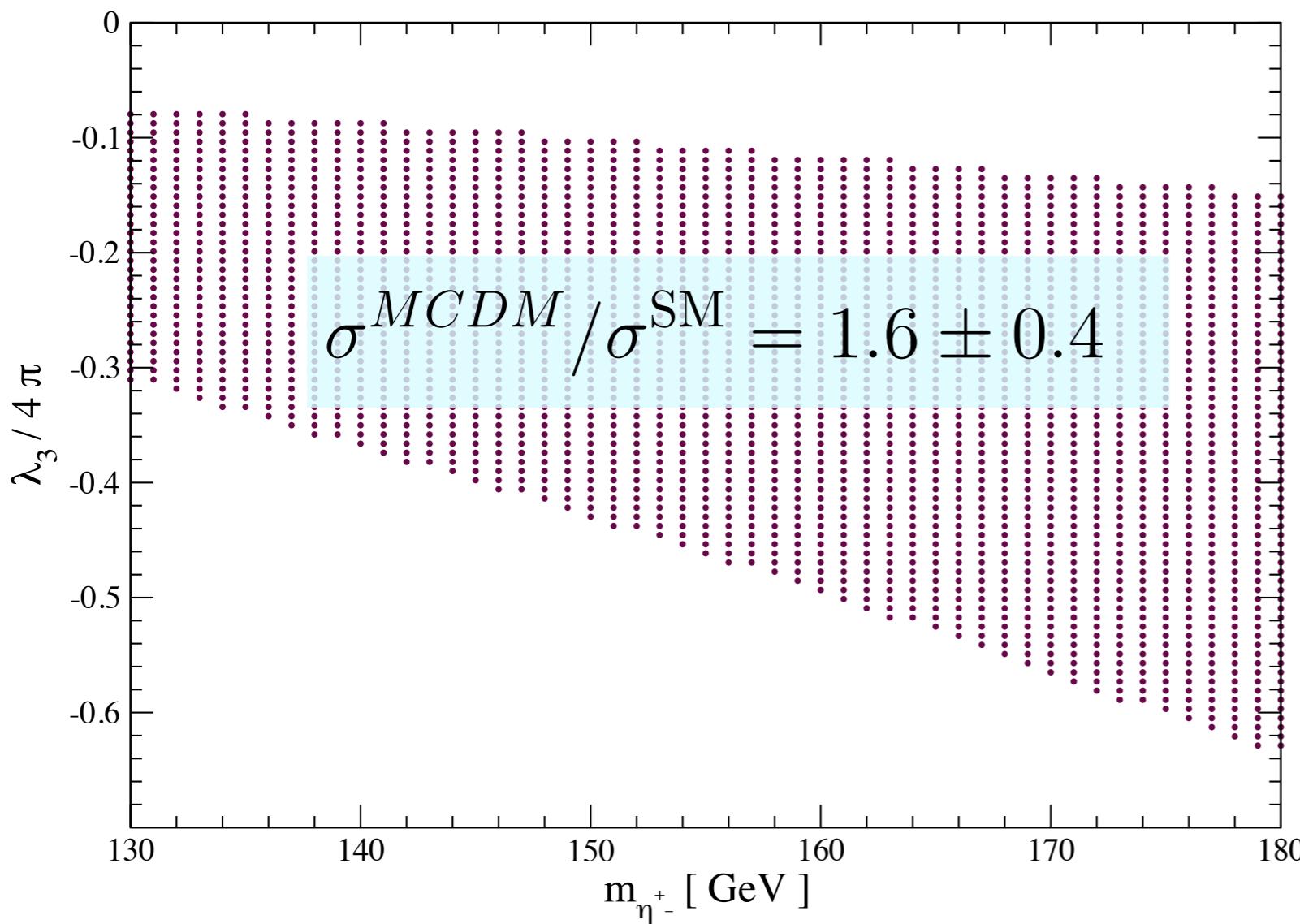
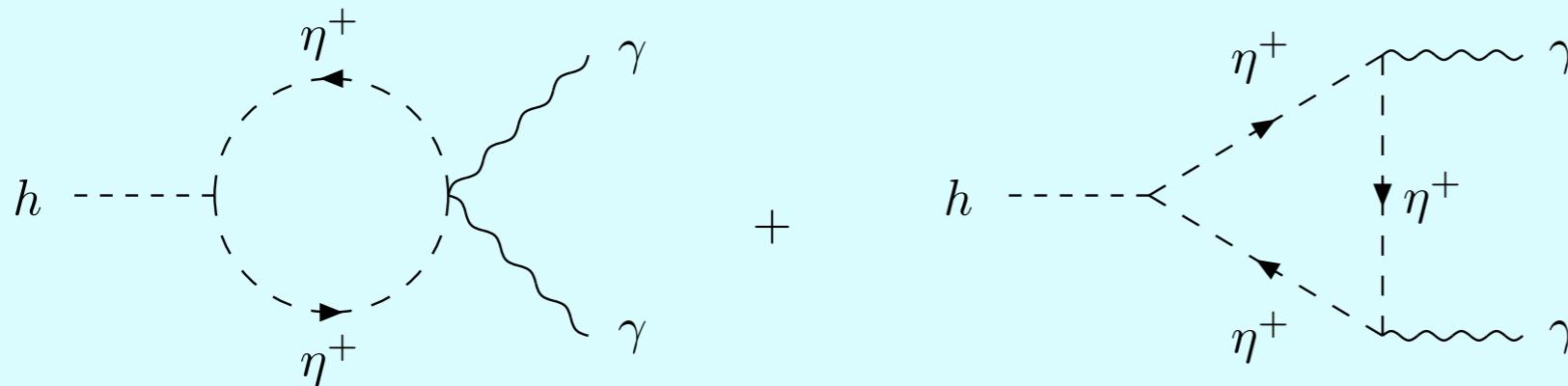
$$\sigma^{MCDM}/\sigma^{\text{SM}} = 1.6 \pm 0.4$$

**CMS**

**CMS COLLABORATION,  
ARXIV:1207.7235**

**ATLAS COLLABORATION  
ARXIV:1207.7214**

# HIGGS DECAY INTO TWO GAMMAS



**DM ANNIHILATION**

GUNION, HABER, KANE + DAWSON;  
AKERØYD, DIAZ + RIVER;  
ARHRIB, BENBRIK + GAUR;  
SWIEZIEWSKA + KRAWCZYK; ETC

## IV CONCLUSION

- | A TWO-LOOP SEESAW MODEL IS PROPOSED;
  - \* L IS SOFTLY VIOLATED BY A DIM. 2 OPERATOR,
  - \*  $Z_2 \times Z_2$  IS THE UNBROKEN SYMMETRY, AND
  - \* THE HIGGS SECTOR IS MINIMAL.
- 2** WITH  $\eta_R^0$  and  $\chi$  AS DM THE MODEL HAS  
A POTENTIAL TO EXPLAIN:
- \* 135 GEV GAMMA-RAY LINE OBSERVED  
AT THE FERMI LAT AND
  - \* ENHANCEMENT OF  $h \rightarrow \gamma\gamma$  OBSERVED AT LHC.

**TANK YOU VERY MUCH!**

$$B(\mu\rightarrow e\gamma)=\frac{3\alpha}{64\pi(G_F m_{\eta^\pm}^2)^2}\Bigg|\,\sum_k Y_{\mu k}^\nu Y_{ek}^\nu F_2\left(\frac{M_k^2}{m_{\eta^\pm}^2}\right)\Bigg|^2\lesssim 2.4\times 10^{-12}$$

$$F_2(x) = \frac{1}{6(1-x)^4}(1 - 6x + 3x^2 + 2x^3 - 6x^2\ln{x})~,$$

$$\delta a_\mu \;=\; \frac{m_\mu^2}{16\pi^2 m_{\eta^\pm}^2} \sum_k Y_{\mu k}^\nu Y_{\mu k}^\nu F_2\left(\frac{M_k^2}{m_{\eta^\pm}^2}\right)$$

$$|\delta a_\mu| \,\simeq\, 2.2 \times 10^{-5} B(\mu \rightarrow e \gamma) \lesssim 3.4 \times 10^{-11}$$

$$\Delta T~\simeq~0.54\left(\frac{m_{\eta^\pm}-m_{\eta_R^0}}{v}\right)\left(\frac{m_{\eta^\pm}-m_{\eta_I^0}}{v}\right)=0.02^{+0.11}_{-0.12}$$

$$\begin{aligned} (\mathcal{M}_\nu)_{ij} &= \left(\frac{1}{16\pi^2}\right)^2 \frac{\kappa^2 v_h^2}{8} \sum_k Y_{ik}^\nu Y_{jk}^\nu \int_0^\infty dx \{ \, B_0(-x, m_\chi, m_{\phi_R}) - B_0(-x, m_\chi, m_{\phi_I}) \, \} \\ &\quad \times \frac{x}{(x+m_\eta^2)^2(x+M_k^2)} \text{ for } m_\eta = m_{\eta_R^0} \simeq m_{\eta_I^0} \\ &\sim -\lambda_5^{\rm eff} v_h^2 \sum_k \frac{Y_{ik}^\nu Y_{jk}^\nu}{16\pi^2 M_k} \left( \ln \left( \frac{m_{\eta_R^0}}{M_k} \right)^2 + 1 \right) \text{ for } m_\eta << M_k \;, \end{aligned}$$

# Coupled Boltzmann eqs.

D'ERAMO+THALER, 11, BELANGER,KANNIKE, PUKOV+RAIDAL, 12;  
AOKI, DUERR, KUBO+TAKANO, 12.



**standard**

$$\frac{dY_i}{dx} = -0.264 g_*^{1/2} \left[ \frac{\mu M_{\text{PL}}}{x^2} \right] \left\{ <\sigma(ii; X_i X'_i)v> (Y_i Y_i - \bar{Y}_i \bar{Y}_i) \right.$$

**conversion**

$$+ \sum_{i>j} <\sigma(ii; jj)v> \left( Y_i Y_i - \frac{Y_j Y_j}{\bar{Y}_j \bar{Y}_j} \bar{Y}_i \bar{Y}_i \right) - \sum_{j>i} <\sigma(jj; ii)v> \left( Y_j Y_j - \frac{Y_i Y_i}{\bar{Y}_i \bar{Y}_i} \bar{Y}_j \bar{Y}_j \right)$$

**semi-annihilation**

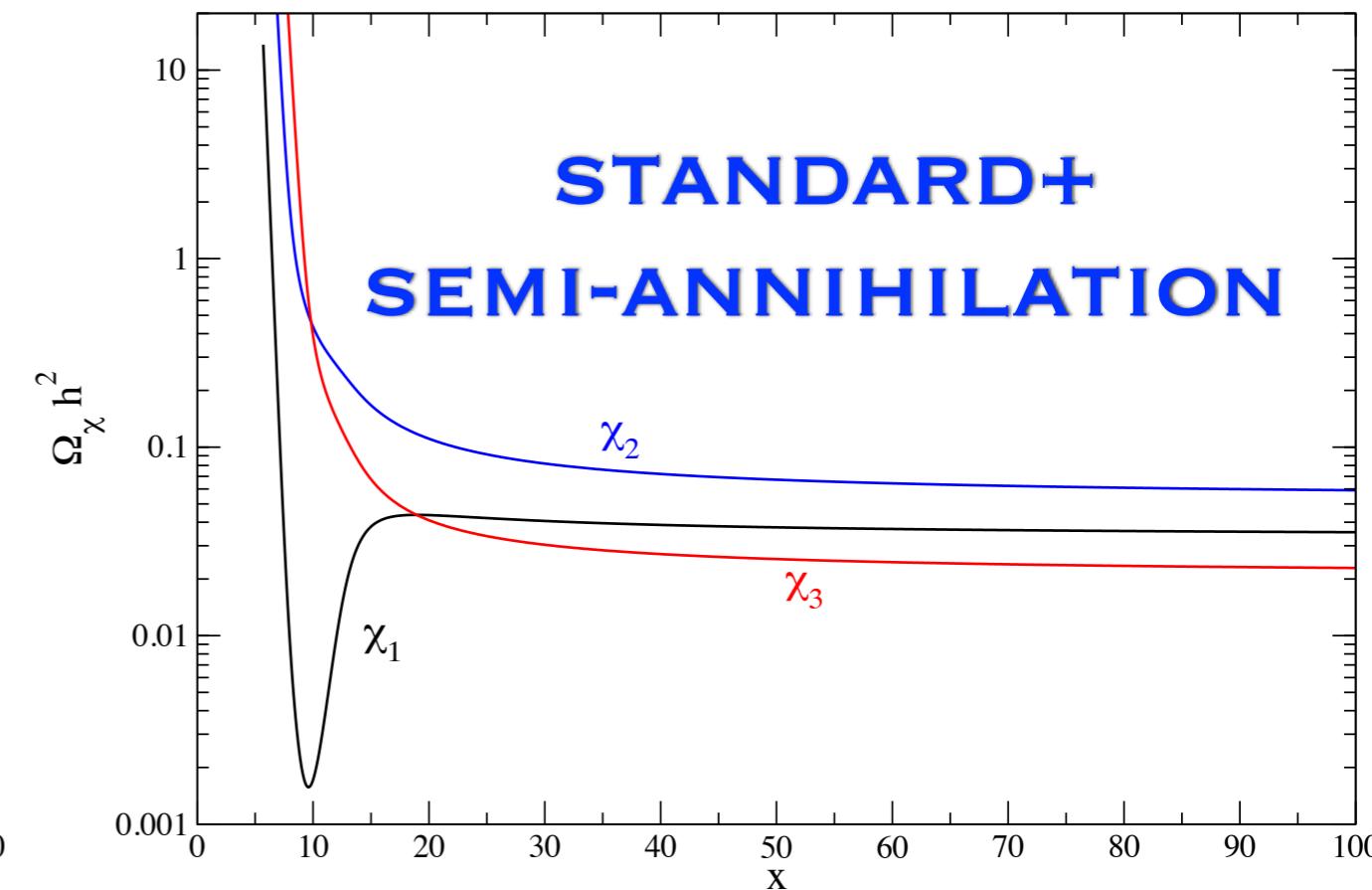
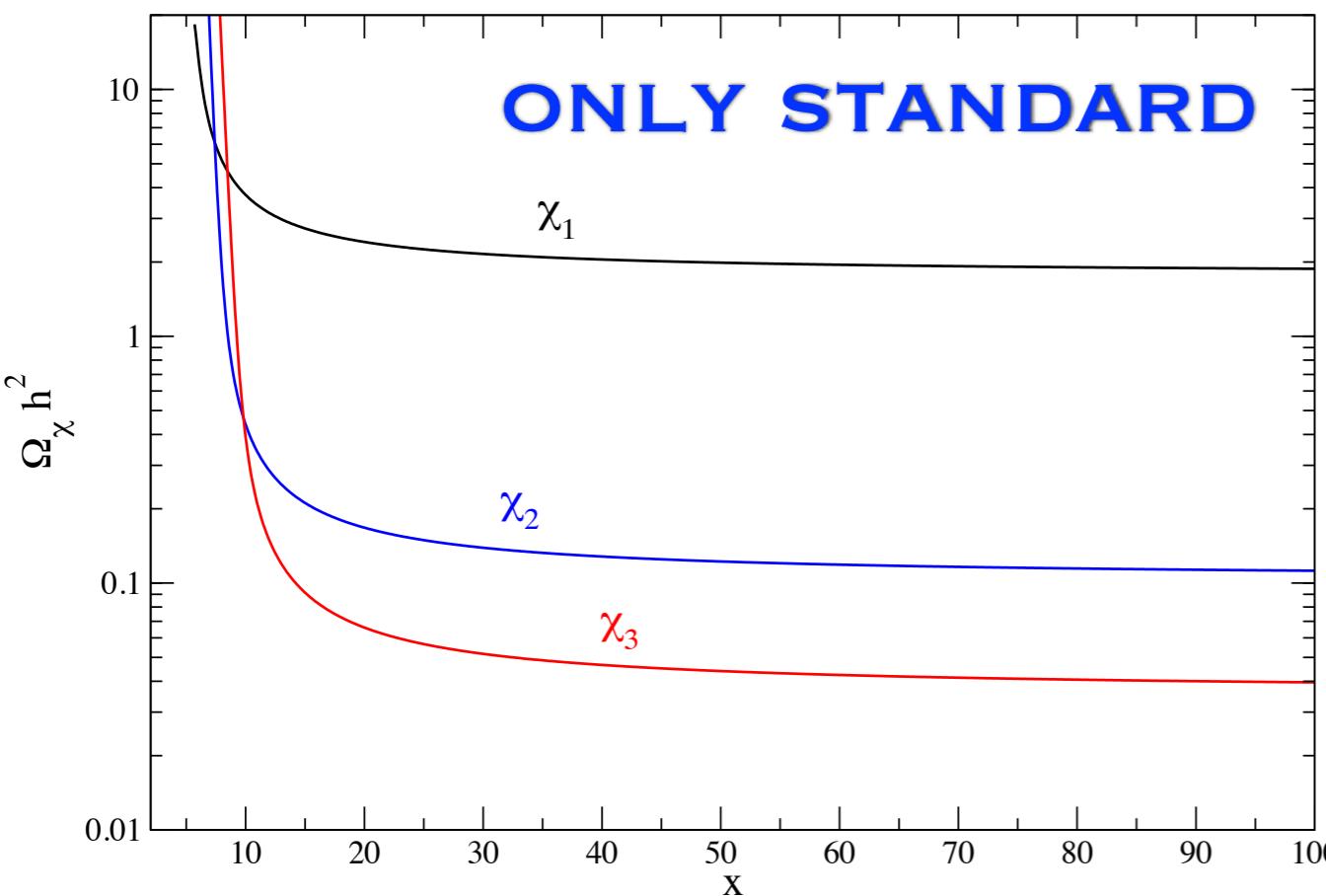
$$+ \sum_{j,k} <\sigma(ij; k X_{ijk})v> \left( Y_i Y_j - \frac{Y_k}{\bar{Y}_k} \bar{Y}_i \bar{Y}_j \right) - \sum_{j,k} <\sigma(jk; i X_{jki})v> \left( Y_j Y_k - \frac{Y_i}{\bar{Y}_i} \bar{Y}_j \bar{Y}_k \right) \}$$

$$Y_i = n_i / s \quad \mu = (\sum_i m_i^{-1})^{-1}$$

$m_1 = 200 \text{ GeV}$ ,  $m_2 = 160 \text{ GeV}$ ,  $m_3 = 140 \text{ GeV}$

**STANDARD:**  $\sigma_{0,1} = 0.1$ ,  $\sigma_{0,2} = 2$ ,  $\sigma_{0,3} = 6$

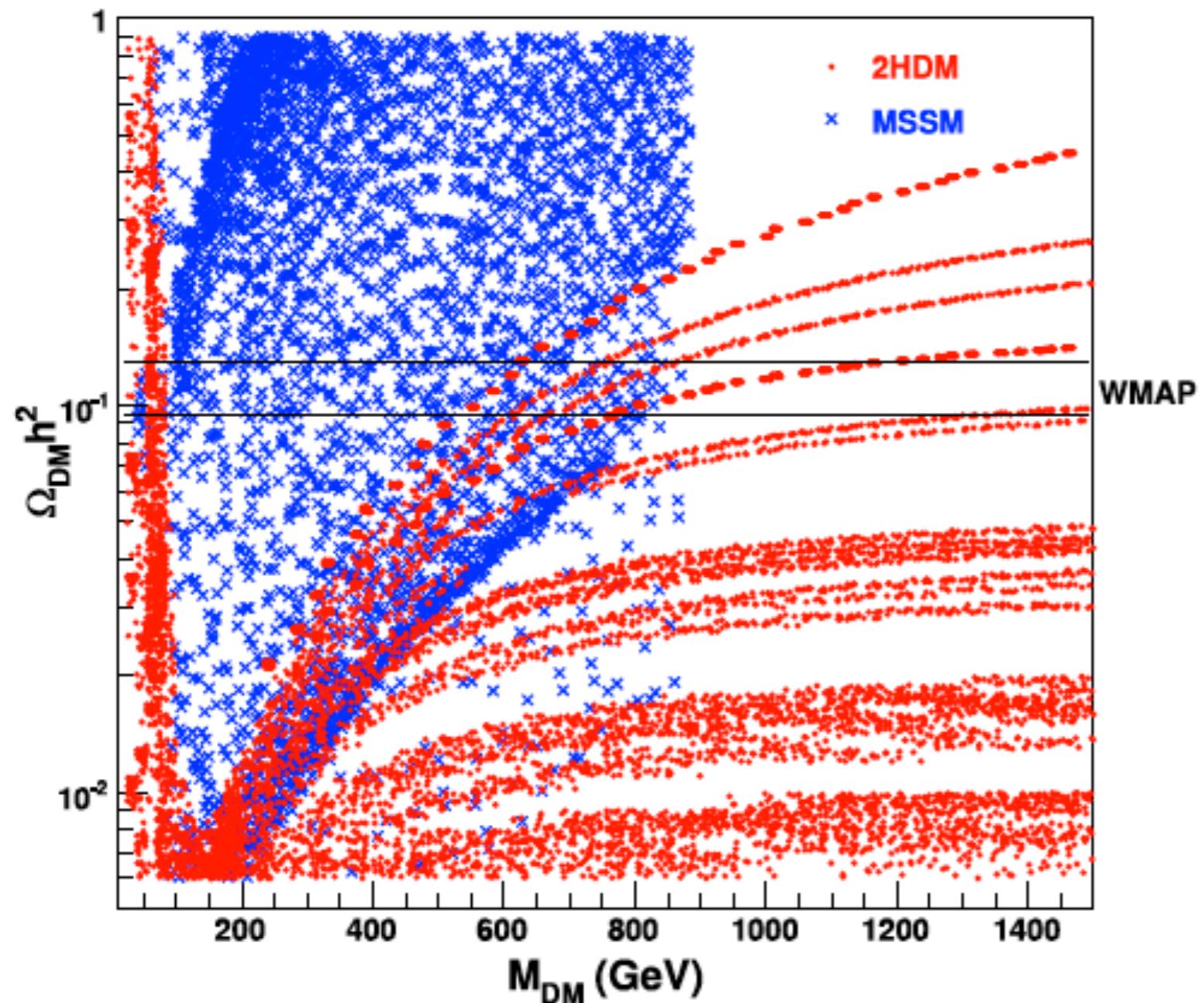
## Temperature evolution



AOKI, DUERR, KUBO+TAKANO, 2012

$$\sigma_{0,123} = \sigma_{0,312} = \sigma_{0,231} = 5.1$$

# Relic abundance



LOPEZ, OLIVER AND  
TYTGAT, '06

**Only low mass and higher mass regimes are allowed.**

# SUSY

**Higgsino:**

$$\sigma_{\gamma\gamma} v \simeq 1.1 \times 10^{-28} \text{ cm}^3/\text{s}$$

$$\sigma_{\gamma_Z} v \simeq 3.7 \times 10^{-28} \text{ cm}^3/\text{s}$$

$$\sigma_{\text{ann}} v \simeq \sigma_{WW} v + \sigma_{ZZ} v \simeq 4.2 \times 10^{-25} \text{ cm}^3/\text{s}$$

**Wino:**

$$\sigma_{\gamma\gamma} v \simeq 2.5 \times 10^{-27} \text{ cm}^3/\text{s}$$

$$\sigma_{\gamma_Z} v \simeq 1.4 \times 10^{-26} \text{ cm}^3/\text{s}$$

$$\sigma_{\text{ann}} v \simeq \sigma_{WW} v \simeq 4.0 \times 10^{-24} \text{ cm}^3/\text{s}$$

**Bino:**

$$\sigma_{\gamma\gamma} v \simeq \text{few} \times 10^{-30} \text{ cm}^3/\text{s};$$

$$\sigma_{\gamma_Z} v \simeq \text{few} \times 10^{-31} \text{ cm}^3/\text{s};$$

$$\sigma_{\text{ann}} v \simeq \sigma_{\ell\bar{\ell}} v \simeq \text{few} \times 10^{-27} \text{ cm}^3/\text{s}.$$

**NEUTRALINO DM CAN NOT EXPLAIN  
THE 130 GAMMA RAY LINE.**

**BELANGER ET AL,ARXIV:1208.5009**